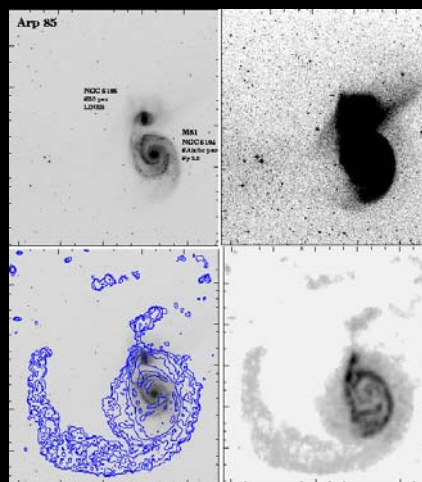


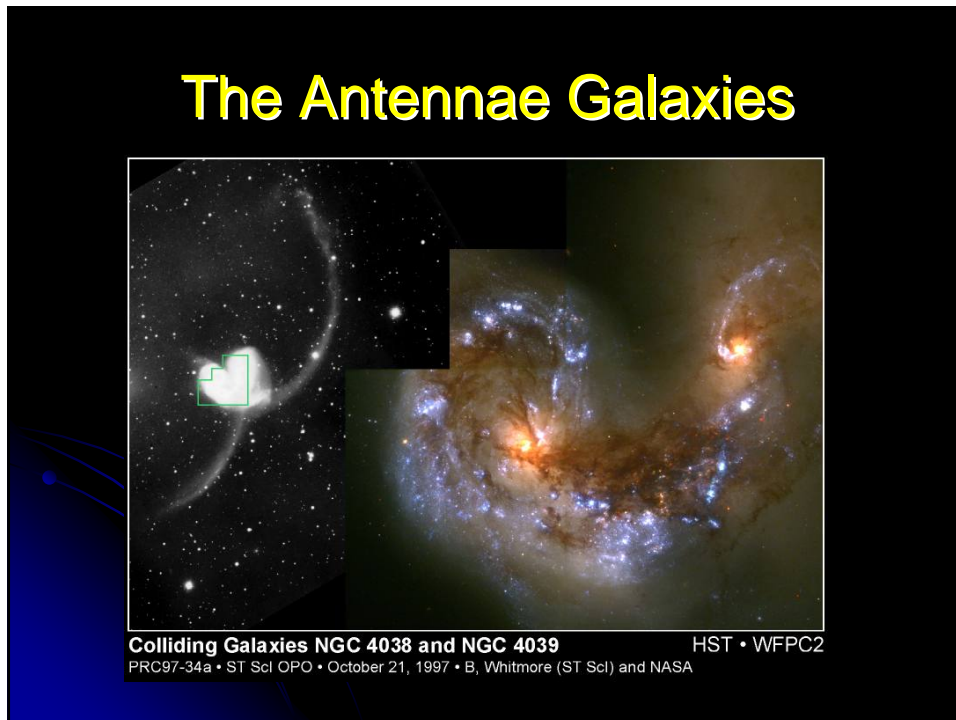
Modelling interacting galaxies

(Christian Theis, Vienna)

- Motivation
- Modelling of galaxies
- MINGA: Genetic Algorithm approach
- Examples
- Summary & future prospects

M51: a prototype for an interaction





What can we learn from galaxy interactions?

- kinematical history of galaxies
- test bed for galaxy evolution:
 - strength, mode and timing of perturbation
 - dynamical stability of galaxies
 - induced structural changes (mass flows, bars and spiral structure, mergers)
 - reaction of ISM →
 - star formation
 - chemical evolution
 - nuclear activity and mass loss
- properties of the dark matter halo

Influence of dark matter halos on galaxy interactions

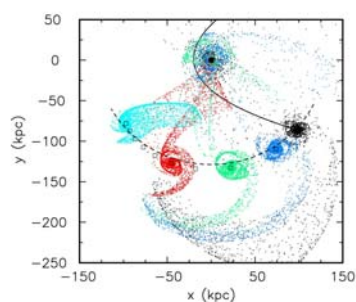
- Why interacting systems?
 - Tidal tails can trace outer galaxy
 - Tidal tails can probe off-plane regions
 - Tidal features sensitive to DM halo properties (Dubinski et al. 1999, Springel & White 1999)

- Halo parameters:

- Mass
- Extension
- Flattening (?)
- (Rotation)

halos act like softened gravitational forces

Influence of a variable halo size

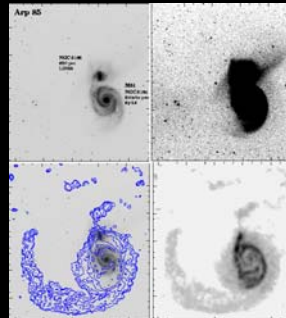
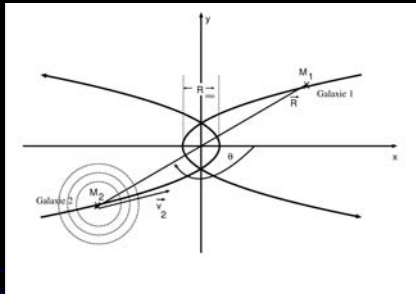


Modelling Galaxies

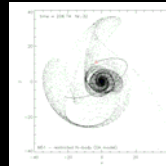
- Components:
 - Stars and stellar remnants
 - Interstellar medium (molecular clouds, diffuse gas, dust)
 - Dark matter
 - Black Holes
- Processes:
 - Dynamics:
 - Gravitational N-body problem
 - Hydrodynamics
 - Galactic „microphysics“:
 - Phase transitions (star formation, stellar death etc.)
 - Processes within a phase (e.g. cooling)
 - Interactions between phases (e.g. stellar heating)

Restricted N-body simulations

- Idea (Pfleiderer & Siedentopf 1961, Toomre & Toomre 1972)



- Basic assumption:**
 - Galaxies follow Keplerian orbits
 - Stars are treated as test particles
 - Fast integration (~ 1 CPU sec on modern PC)
 - High spatial resolution in regions of interest
- BUT:** not self-consistent (e.g. no merging)



(Theis & Spinnaker 2003)

Self-consistent simulations

- include self-gravity of stars, gas and dark matter
- main problem: **N^2 -bottleneck**
- simulation methods:
 - TREE-codes** ($\sim N \log N$, $\sim N$) (e.g. Barnes & Hut 1986, Dehnen 2000)
 - grid-based schemes** ($\sim N$) (e.g. Sellwood 1982)
 - expansion methods**, ($\sim N$) (e.g. SCF Hernquist & Ostriker 1992)
 - special purpose computer, GRAPE** ($\sim N^2$)

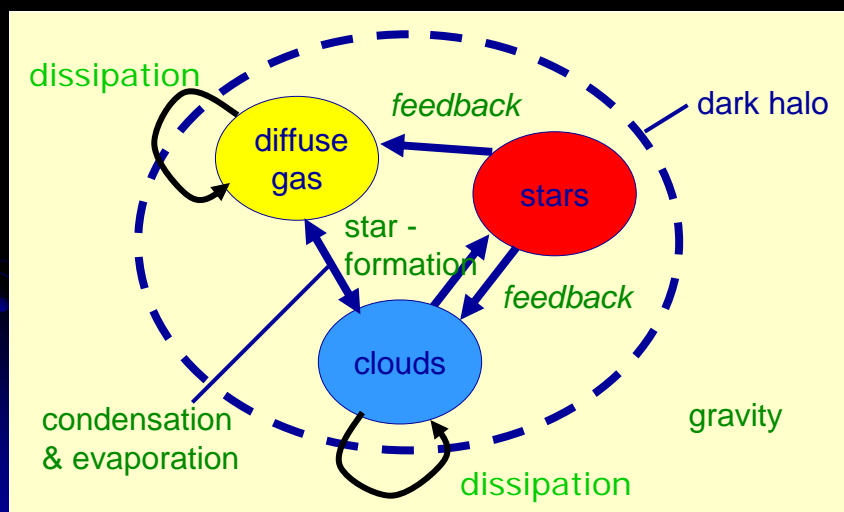
(Tokyo group [Makino, Sugimoto et al.] since 1990)

- BUT:**
 - no trivial stable initial configurations
 - low resolution in low-density regions
 - computationally expensive

Gas dynamics in galaxy models...

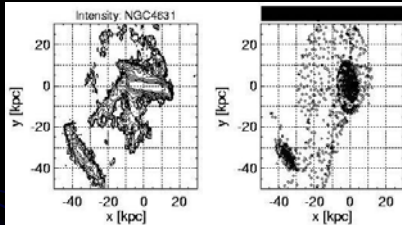
- Single component ISM
 - hydrodynamical models:
 - grid codes
 - smoothed particle hydrodynamics (SPH)
 - phenomenological models:
 - sticky particles (for gas clumps, clouds)
- Multi-component ISM
 - often: sub-grid models
 - high-resolution hydrodynamical models (SPH, grid)
 - hybrid codes

Chemo-dynamics: towards a complete model...



How can we learn from interactions: parameter space

- Optimization problem:



Fitness function:

$$f = \frac{1}{1 + \delta}; \delta \equiv \sum_{cells} \frac{|I_{ref,i} - I_{sim,i}|}{\max(I_{ref,i}, I_{sim,i})}$$

Goals:

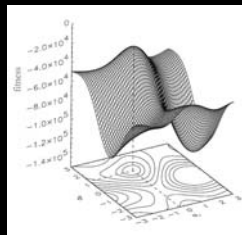
- Finding a solution
- Uniqueness of a solution

Problems:

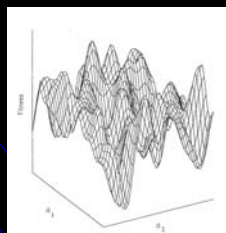
- Extended parameter space
- Trapping by local optima

Fitness landscapes

smooth landscape:



multi-peaked landscape:



Parameter space

- **Parameters:**
 - two-body parameters (orbital plane, eccentricity, pericenter, masses...)
 - characteristics of galaxies (orientation of disk, scalelength,...,halo...)
- **Example:**
 - Disk+point-like perturber: 7 parameters
 - grid with 5 pts./dimension: 78125 models or
~ 3.5 years GRAPE6 CPU time

Fast N-body technique and efficient search strategy required!

Genetic algorithm

- **IDEA:** imitate evolutionary optimization, i.e. adaptation of a population by „survival of the fittest solution“ (Holland 1975, Goldberg 1989)
 1. Start with a random population, i.e. N_p points in parameter space
 2. Apply iteratively reproduction operators

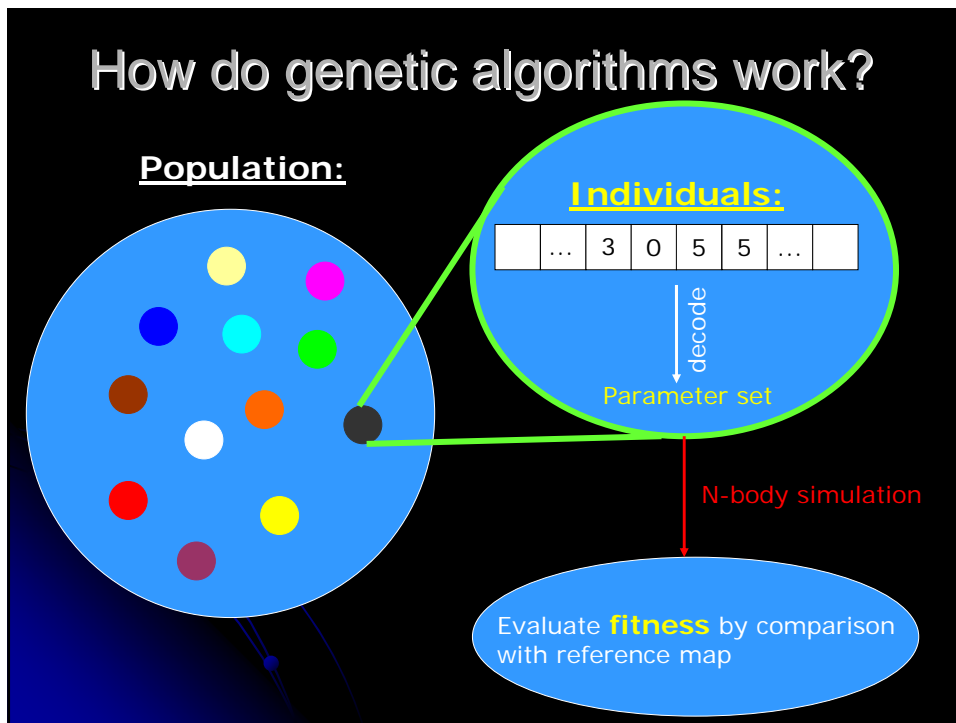
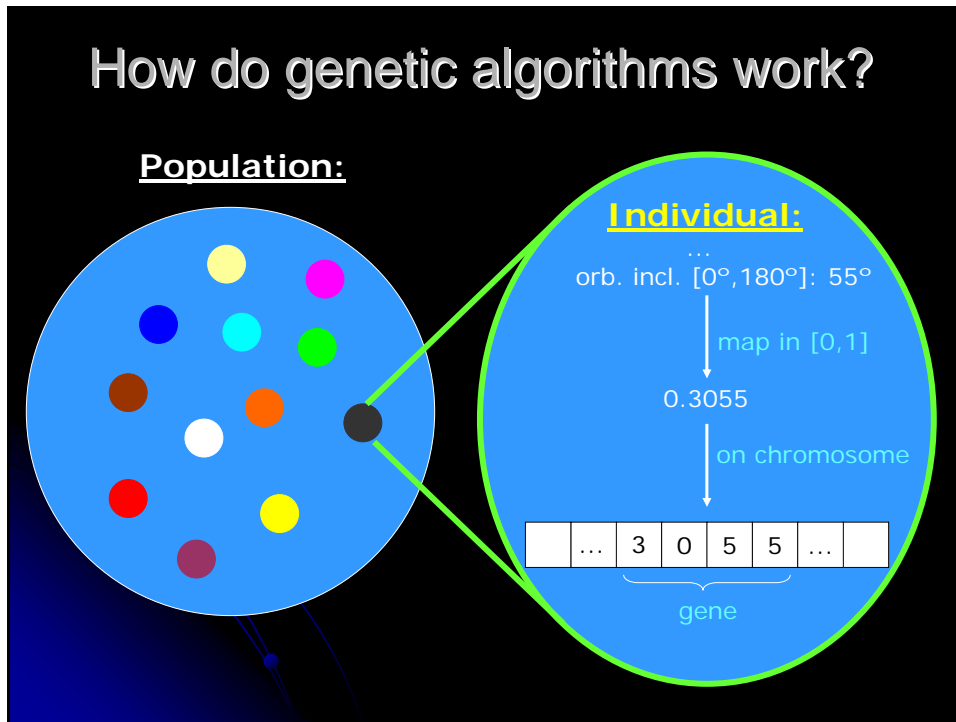
THE ORIGIN OF SPECIES

BY MEANS OF NATURAL SELECTION

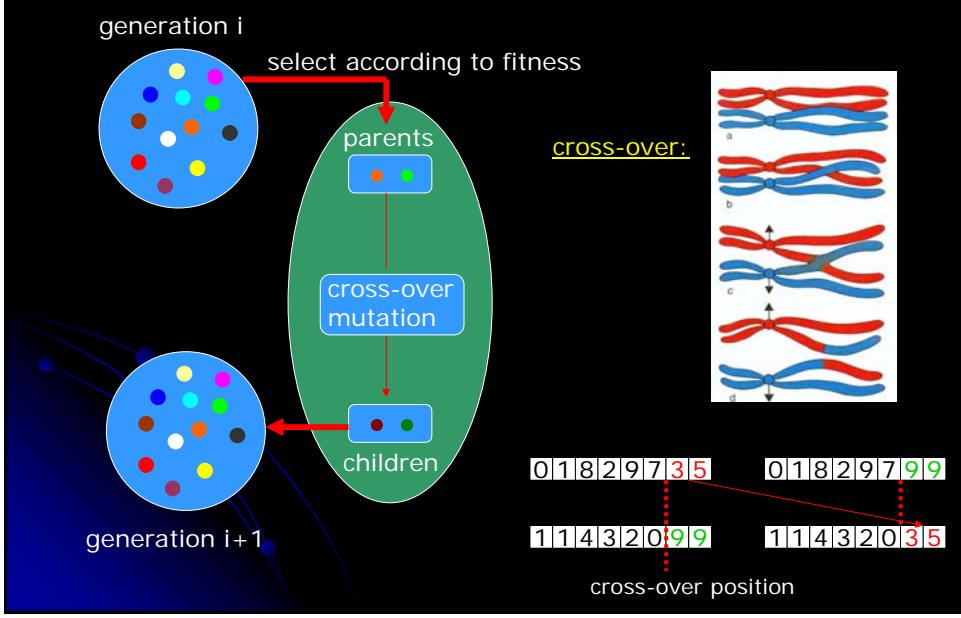
OR

THE PRESERVATION OF FAVOURED
RACES IN THE STRUGGLE FOR LIFE

CHARLES DARWIN



How do genetic algorithms work - 2



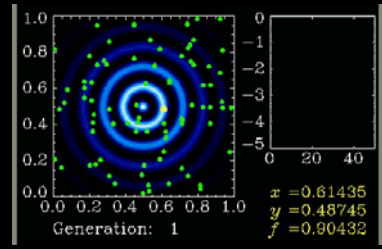
A test example...

$$f(x, y) = \cos^2(n\pi r) \exp(-r^2 / \sigma^2)$$

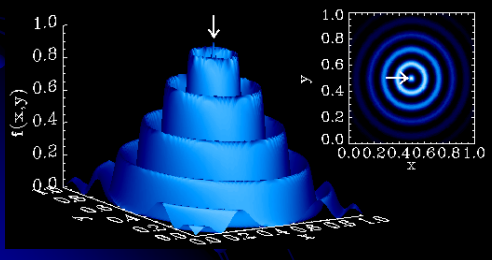
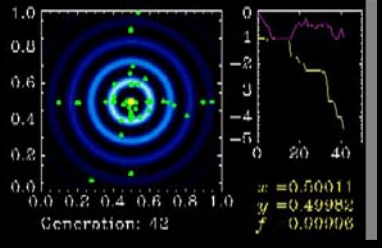
$$r^2 = (x-0.5)^2 + (y-0.5)^2$$

$$n = 9 \quad \sigma^2 = 0.15$$

genetic algorithm (pikaia)

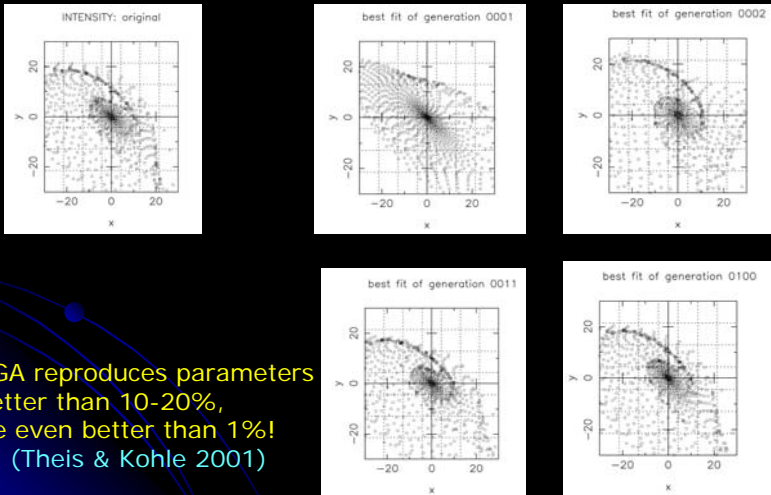


later stage of GA run:



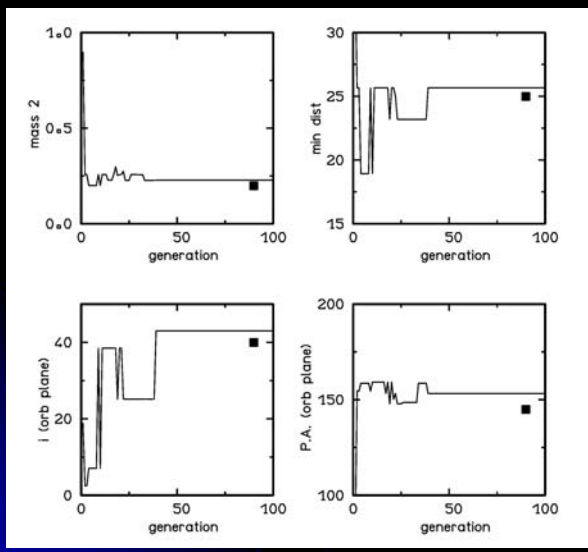
(provided by P. Charbonneau)

Example 1: a model for NGC 4449



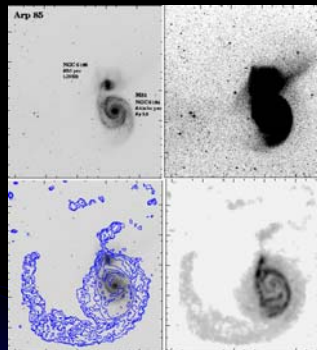
MINGA reproduces parameters to better than 10-20%, some even better than 1%!
(Theis & Kohle 2001)

Comparison of parameters

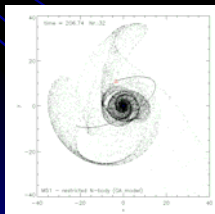
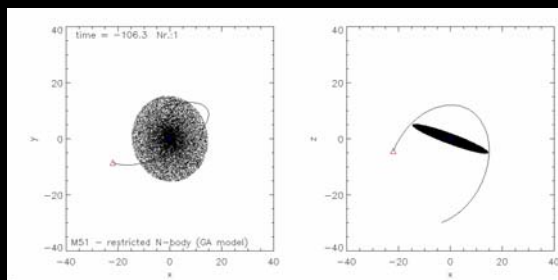


MINGA reproduces parameters to better than 10-20%, some even better than 1%!
(Theis & Kohle 2001)

Example 2: M51

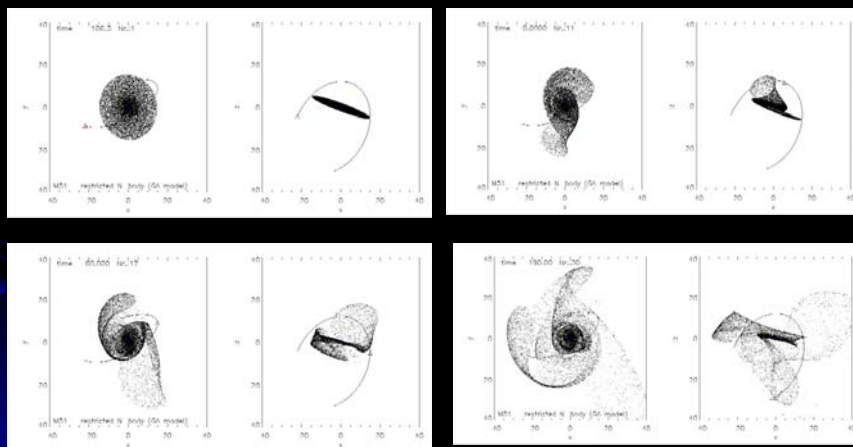


- M51 restricted N-body simulation



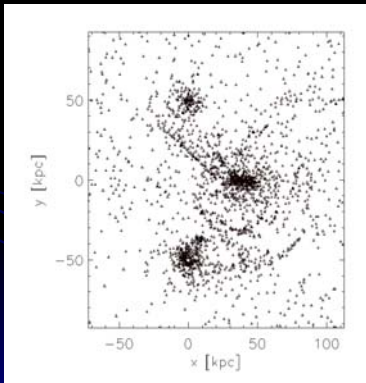
- GA models fits intensity map
- parameter are close to Salo & Laurikainen's (2000) „two disk passages“-model
- (interaction induced grand design spiral)

Example 2: snapshots of the GA model for M51

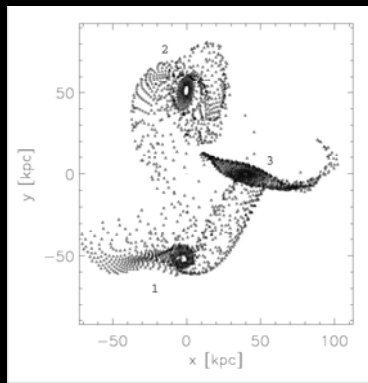


Example: influence of a dark halo on a small group of galaxies

without a halo:
(point mass)



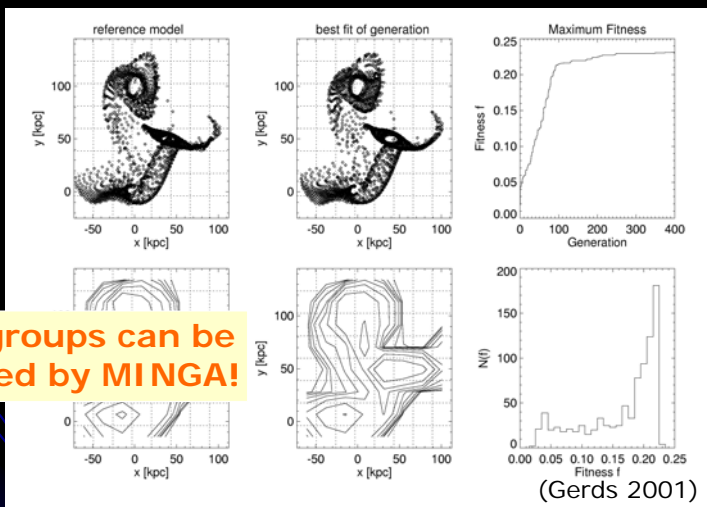
including a halo:



modified *restricted-N-body-code* is rather sensitive for halo parameters!

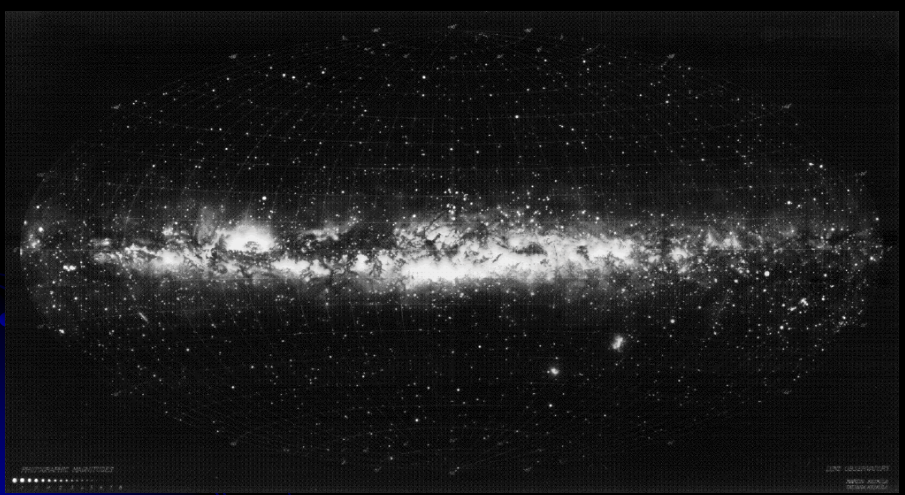
Example 3: MINGA-Fit of a small group of galaxies

MINGA-Fit for a small group of galaxies:



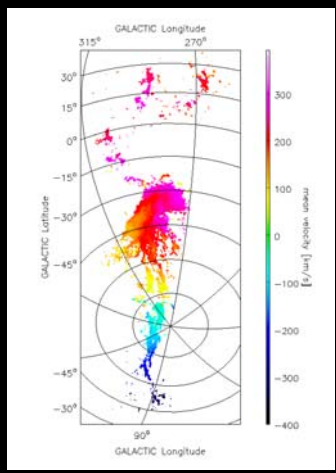
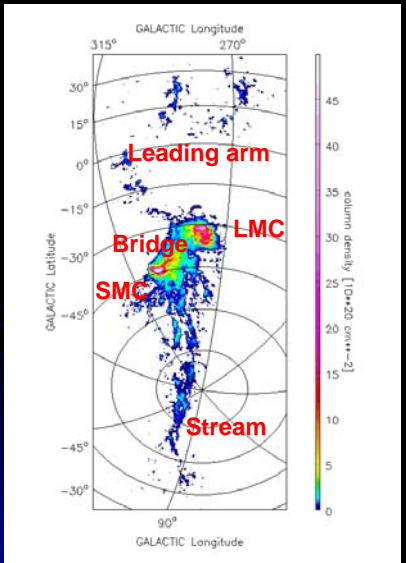
Small groups can be modelled by MINGA!

Example 4: The Magellanic System



(Lund observatory)

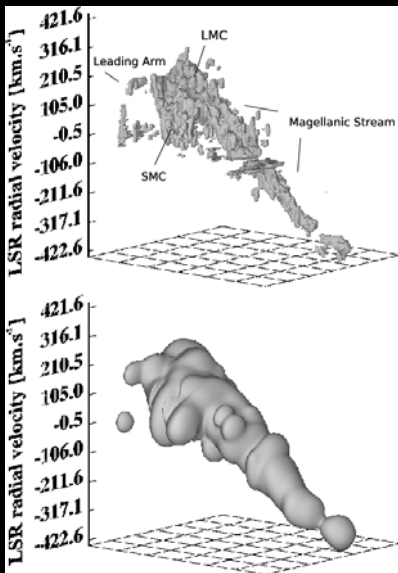
The Magellanic System in HI



(Brüns et al. 2005)

A Genetic Algorithm model...

Observational data cube:

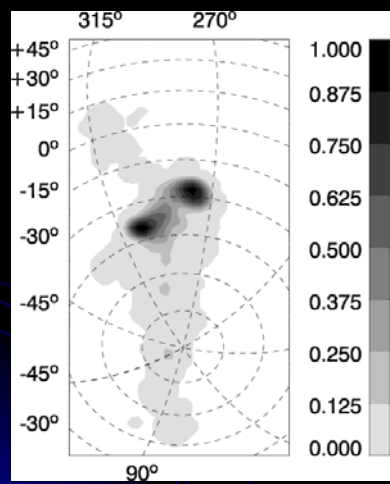


Smoothed data cube:
(used in GA)

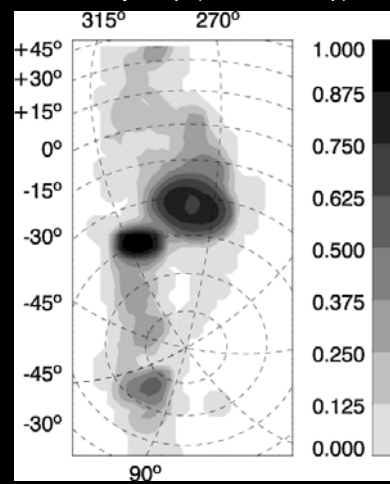
(Ruzicka, Palous & Theis 2007)

A Genetic Algorithm model...

Observed intensity map



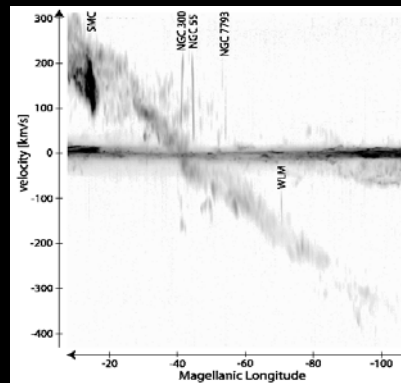
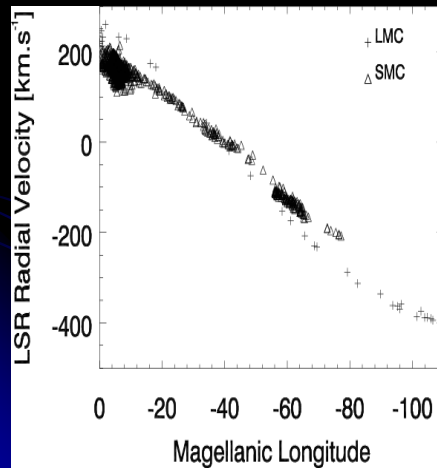
Intensity map (model A seq.)



(Ruzicka, Palous & Theis 2007)

A Genetic Algorithm model...

- 3D LMC-SMC column density data-cube used
- actual resolution of $16'' \times 16'' \times 7\text{km/s}$



(Ruzicka, Palous & Theis 2007)

A GA model...

Results:

- MW dark matter halo close to spherical, probably slightly oblate
- Preferred model class A:
 - MW halo flattening: $q \sim 0.84$
 - Clouds only recently close together
 - Material in the Stream stems from both Clouds

Summary

- **MINGA can model interacting galaxies:**
 - Automatic analysis of observational data
 - Uniqueness tests
- **Included Features:**
 - Spherical DM halos consistently included
 - Extended to small galaxy groups
 - Applied to Magellanic System
- **Easy to parallelize**
- **Remark: GA models are just a first step, further detailed self-consistent models necessary**

Multimethod Modelling

- **Step 1: GA-based analysis of parameter space**
- **Step 2: Dynamically self-consistent modelling**
 - Pure stellar dynamics
 - Gas dynamics
- **Step 3: Self-consistent multi-component modelling**, i.e. chemo-dynamical modelling (including SF, feedback, etc.)

Collaborators

- Stefan Harfst (Rochester)
- Simone Recchi (Trieste), Gerhard Hensler (Vienna), Pavel Kroupa (Bonn)
- Christian Boily (Strasbourg), Thorsten Naab (Munich)
- Lia Athanassoula, Albert Bosma (Marseille)
- Christian Brüns, Nikolaus Neininger, Uli Klein, Sven Kohle (Bonn)
- Adam Ruzicka, Jan Palous (Praha)
- Helmut Meusinger (Tautenburg)
- Jay Gallagher, Linda Sparke (Madison)
- Werner Zeilinger (Vienna), Giovanna Temporin (Milano)
- Christoph Gerds, Christian Spinneker (Kiel)
- Gerald Jungwirth, Harald Leibinger, Armin Liebhart, Hanns Petsch, Julia Weniger (Wien)