

Galaxy Systems in the Optical and Infrared

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Disclaimer:

No X-ray



Disclaimer:

No X-ray

No radio



Disclaimer:

No X-ray

No radio

No lensing



Plan of the lectures:

- I. Identification, global properties, and scaling relations
- II. Structure and dynamics
- III. Properties of the galaxy populations

Plan of the lectures:

I. Identification, global properties, and scaling relations

II. Structure and dynamics

III. Properties of the galaxy populations

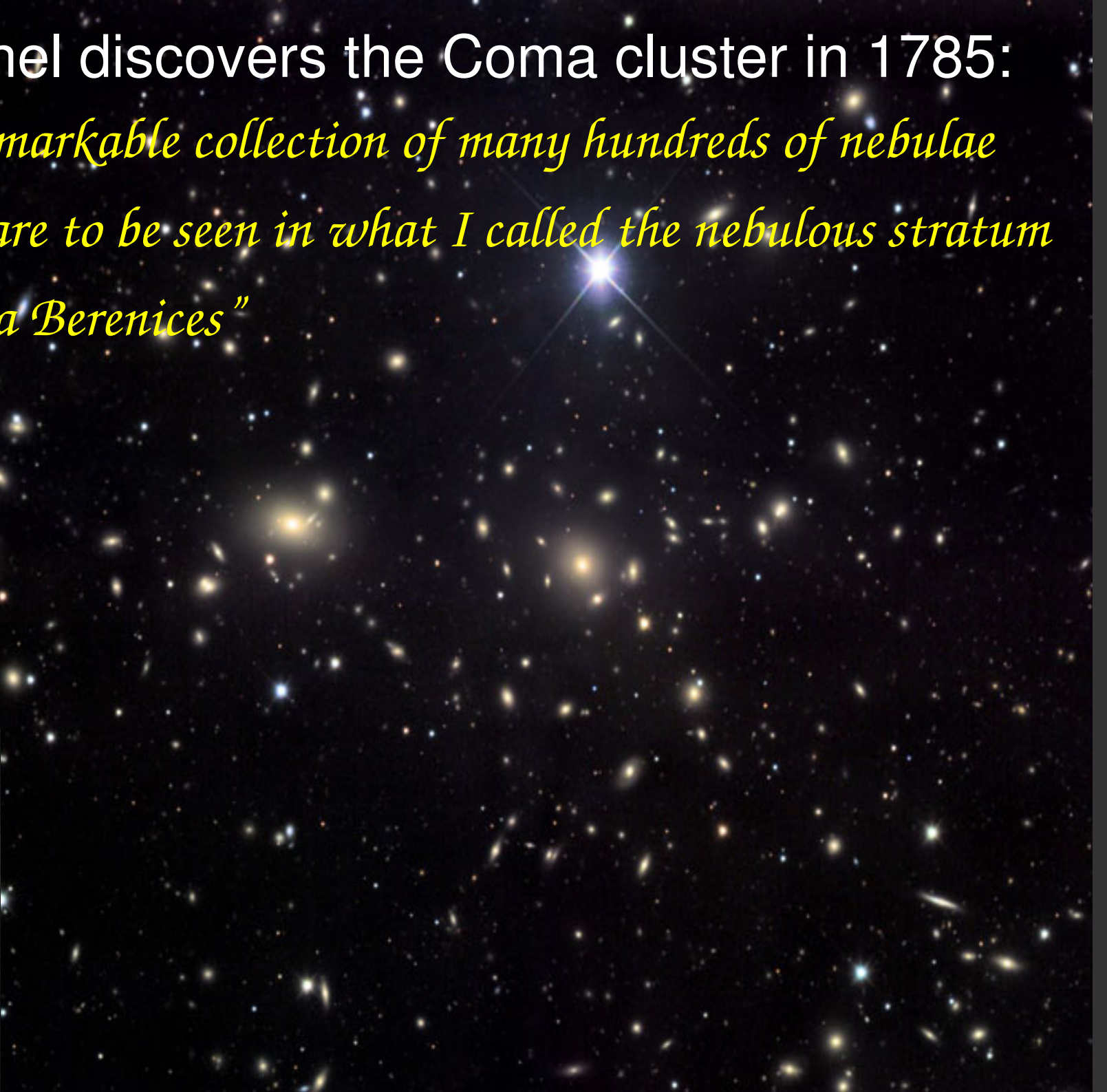
Identification



Messier discovers the Virgo cluster in 1784

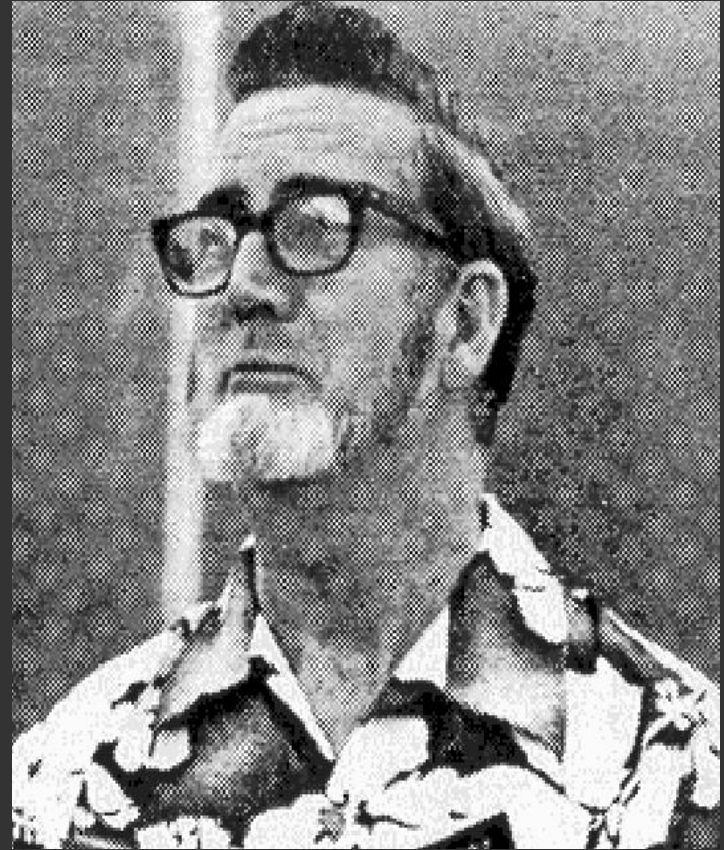
Herschel discovers the Coma cluster in 1785:

*“that remarkable collection of many hundreds of nebulae
which are to be seen in what I called the nebulous stratum
of Coma Berenices”*



George Abell: First modern method of galaxy clusters identification (1958)

POSS photographic plates
 m_{10} as a distance indicator
count galaxies from m_3 to m_3+2
within 2.13 Mpc radius
subtract counts from neighboring field



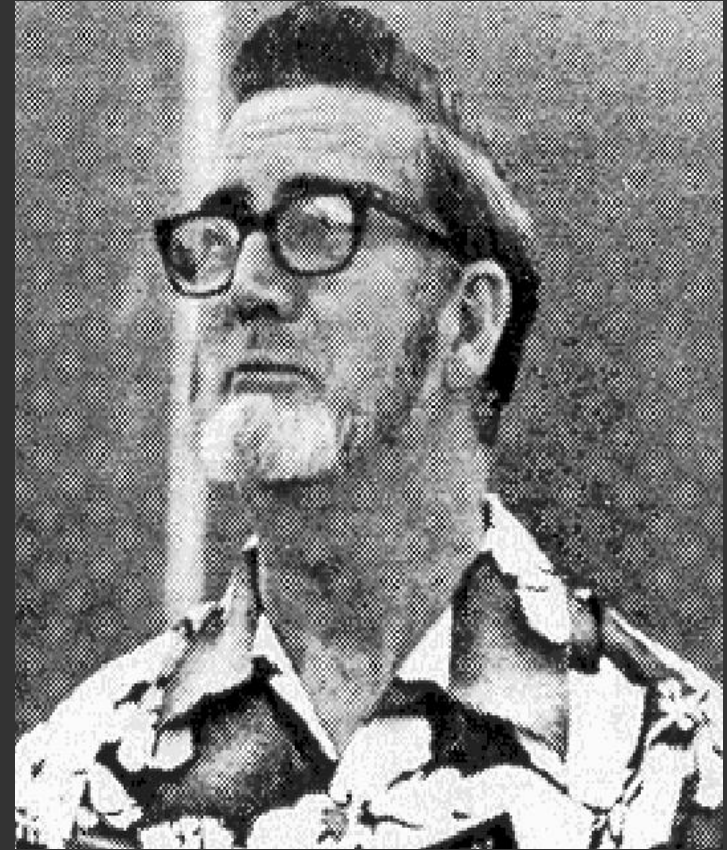
2712 clusters identified
(4073 w. southern extension)

Important reference catalog
(e.g. ENACS in 1989...)

but 2 main problems:

a) incompleteness

b) contamination (projection effects)



Ideally:

push incompleteness & contamination $\rightarrow 0$

In practice:

*estimate incompleteness & contamination
on mock galaxy cluster samples*

\Rightarrow cluster identification must be:



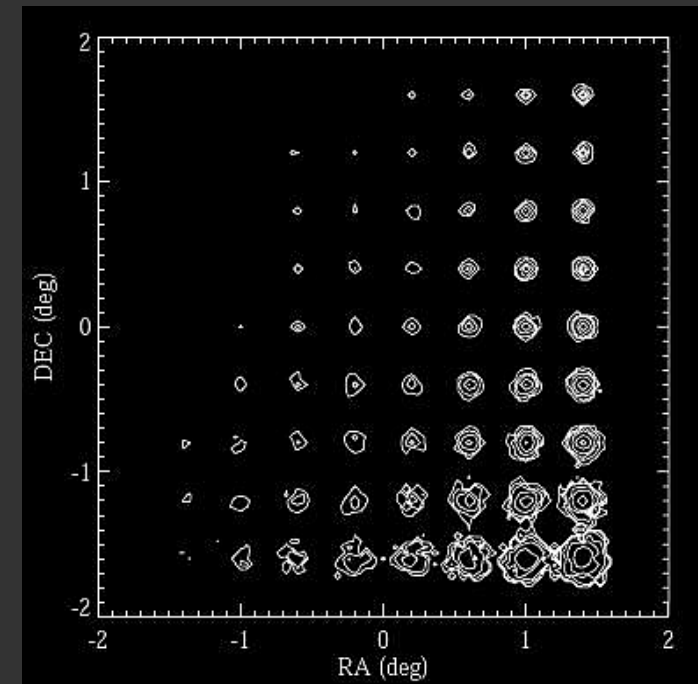
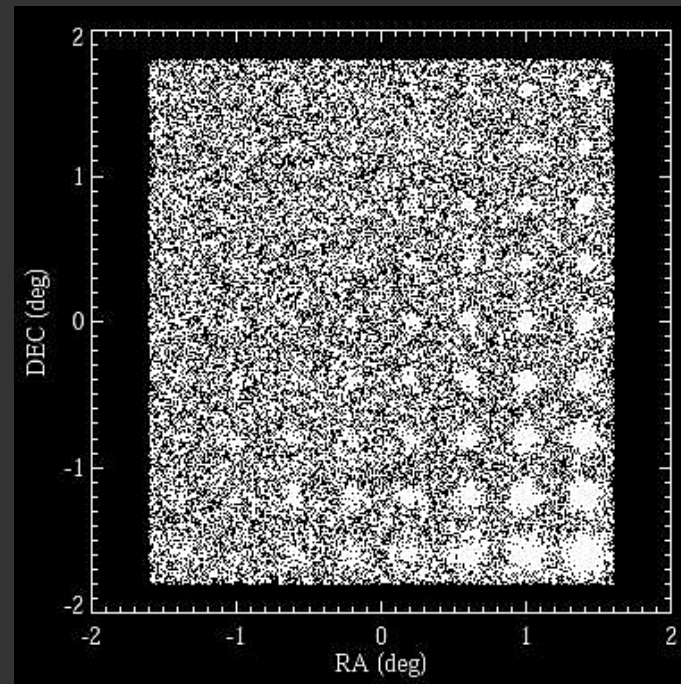
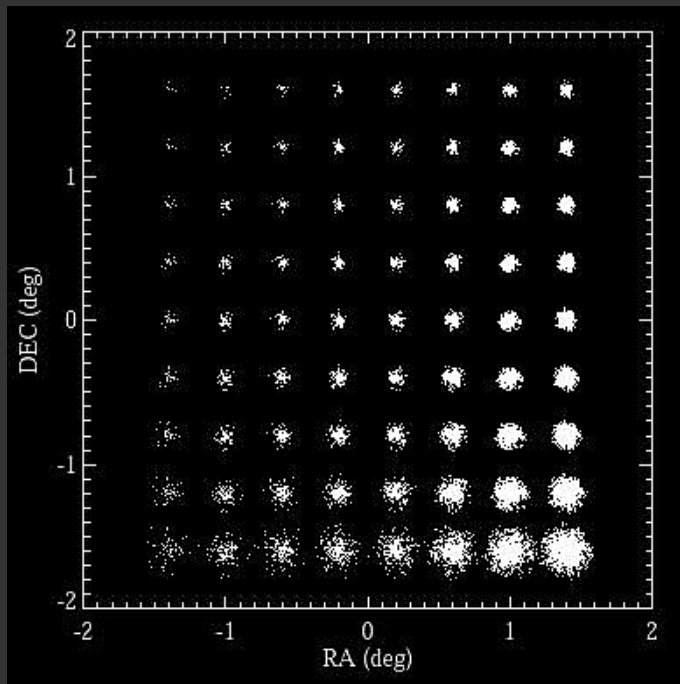
AUTOMATED
and OBJECTIVE

How to be a good identification method:

- 1) automatization
- 2) objectiveness
- 3) minimal constraints on cluster properties
- 4) well-understood selection function
- 5) provide cluster $\langle z \rangle$ and mass estimates

The Matched Filter method

(Postman+96, Kepner+99)



The Matched Filter method

Developed for photometric catalogs

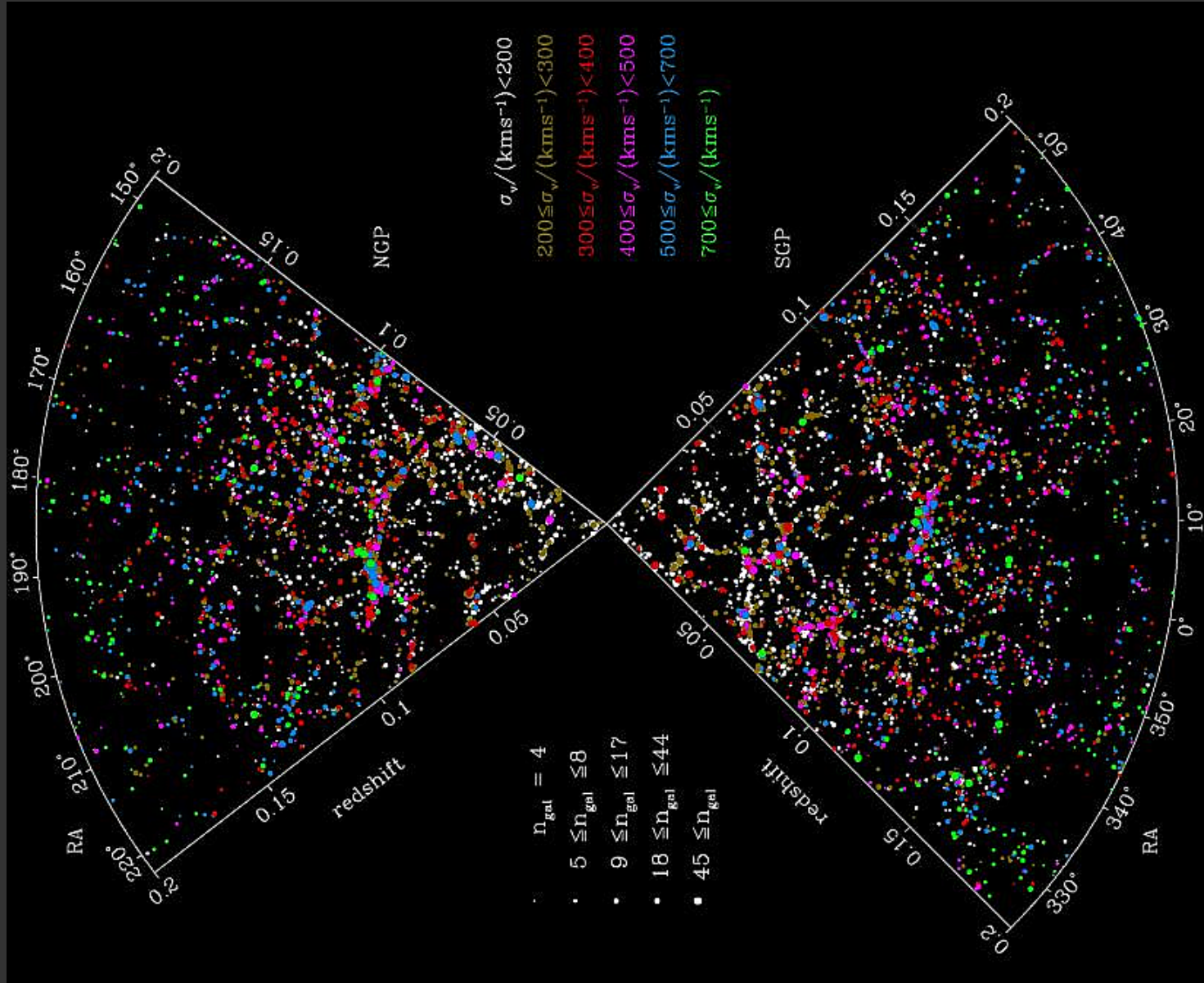
$$D(r, m) = \text{background} + \text{cluster}$$

$$\equiv b(m) + \Lambda_{\text{cl}} P(r/r_c) \phi(m - m^*),$$

$$\ln \mathcal{L} \propto \int_{\text{Area}, m} \ln \sigma \quad \sigma^2 = b(m)$$
$$+ \int_{\text{Area}, m} \frac{[b(m) + \Lambda_{\text{cl}} P(r/r_c) \phi(m - m^*) - D(r, m)]^2}{\sigma^2}.$$

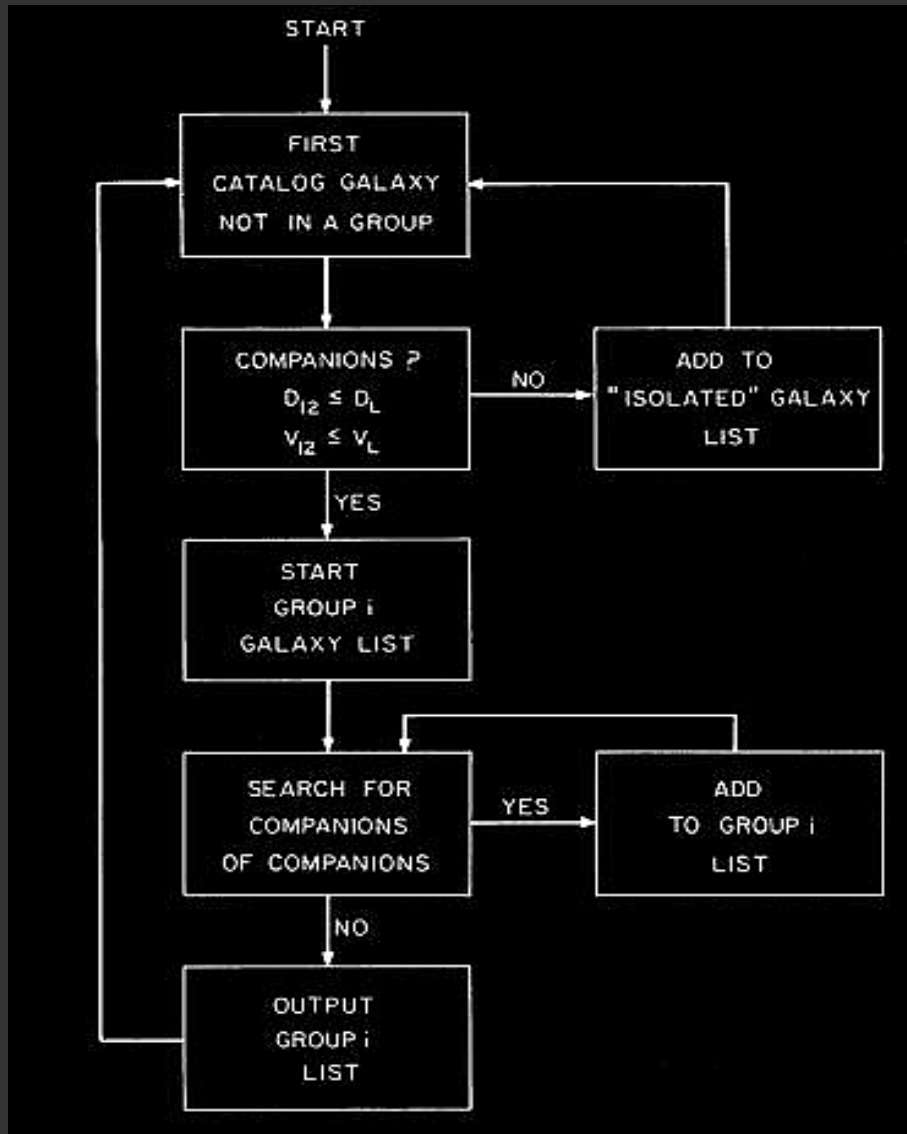
The Friends-of-friends method

(Huchra & Geller 82; Eke+04)



The Friends-of-friends method

Developed for spectroscopic catalogs



$$D_{12} = 2 \sin(\theta/2) V / H_0 \leq D_L(V_1, V_2, m_1, m_2),$$

$$V = (V_1 + V_2) / 2,$$

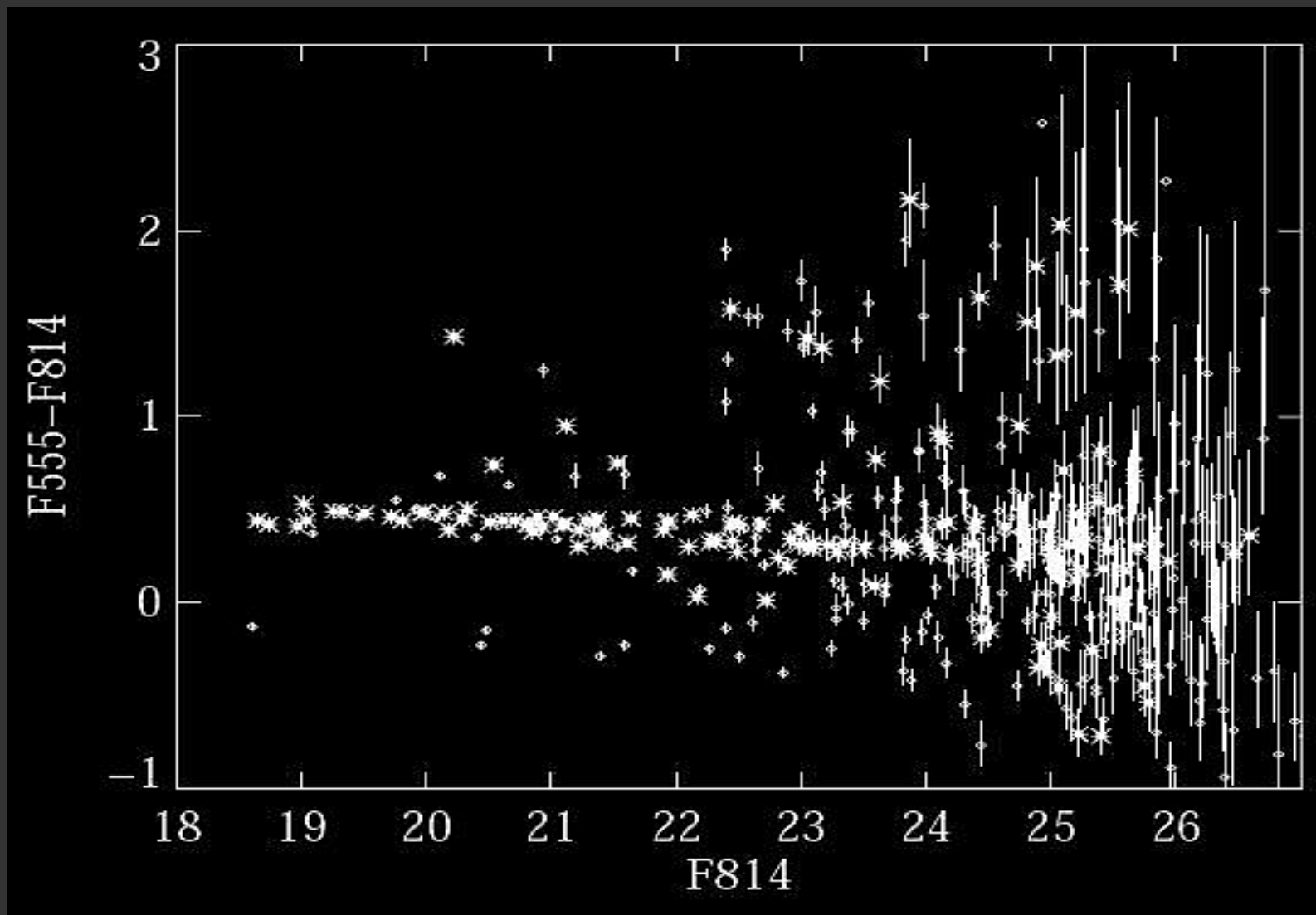
$$V_{12} = |V_1 - V_2| \leq V_L(V_1, V_2, m_1, m_2),$$

Systems are identified within physical overdensity

- MF applied to EIS, SDSS, 2MASS ...
 - Clusters detected to $z \sim 1$ down to $10^{14} M_{\odot}$
 - Completeness $\sim 90\%$ out to $z \sim 0.5$
 $\sim 50\%$ out to $z \sim 1.5$ for $10^{15} M_{\odot}$
 - Miss $< 10\%$ X-ray selected clusters
-

- FoF applied to SDSS, 2dFGRS, 2MRS
- Several 1000 systems, low- z ,
mostly groups ($\sigma_v \sim 200$ km/s, $\sim 10^{13} M_{\odot}$)
- Essentially complete

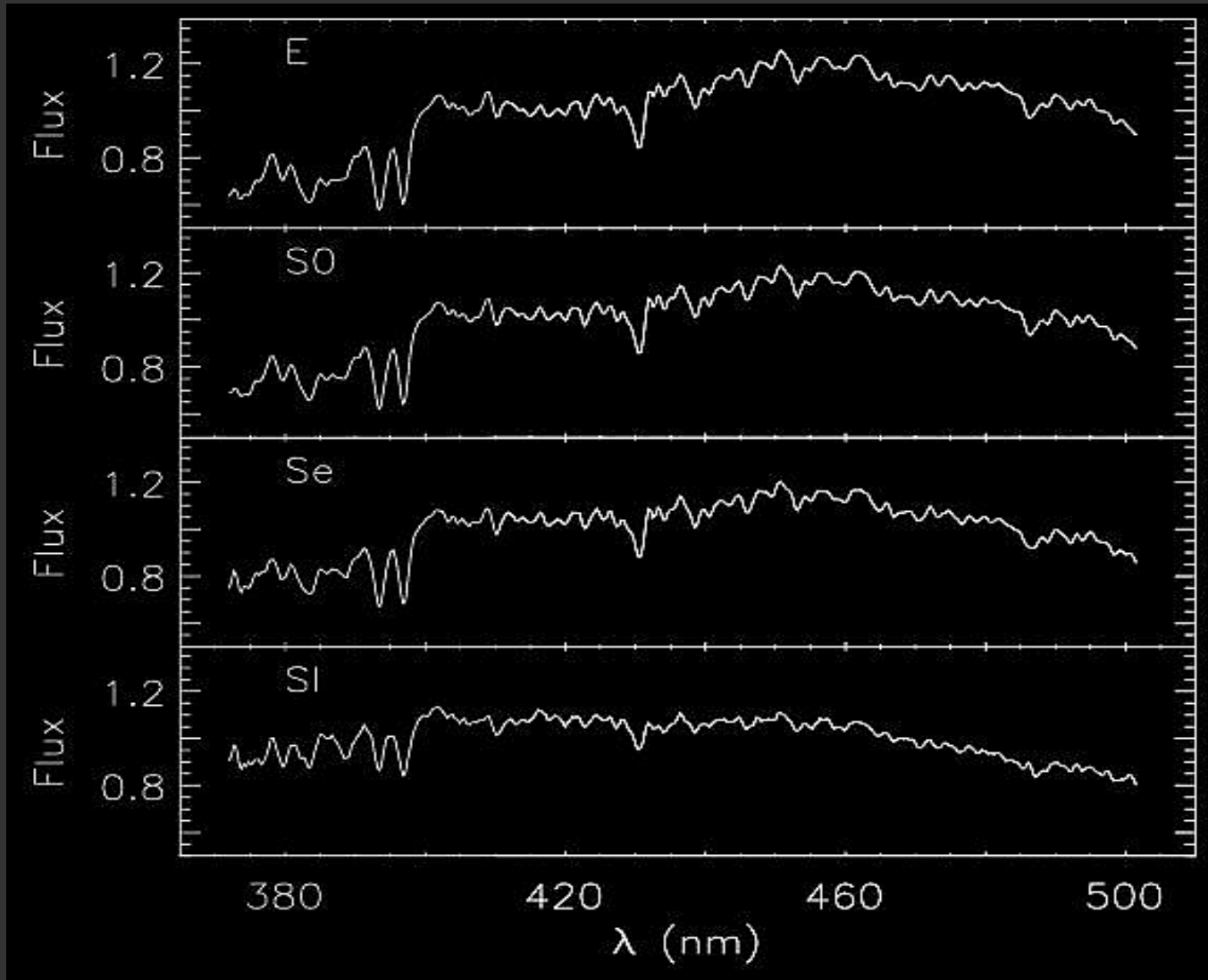
The Cluster Red Sequence method: (Gladders & Yee 00)



The Cluster Red Sequence method

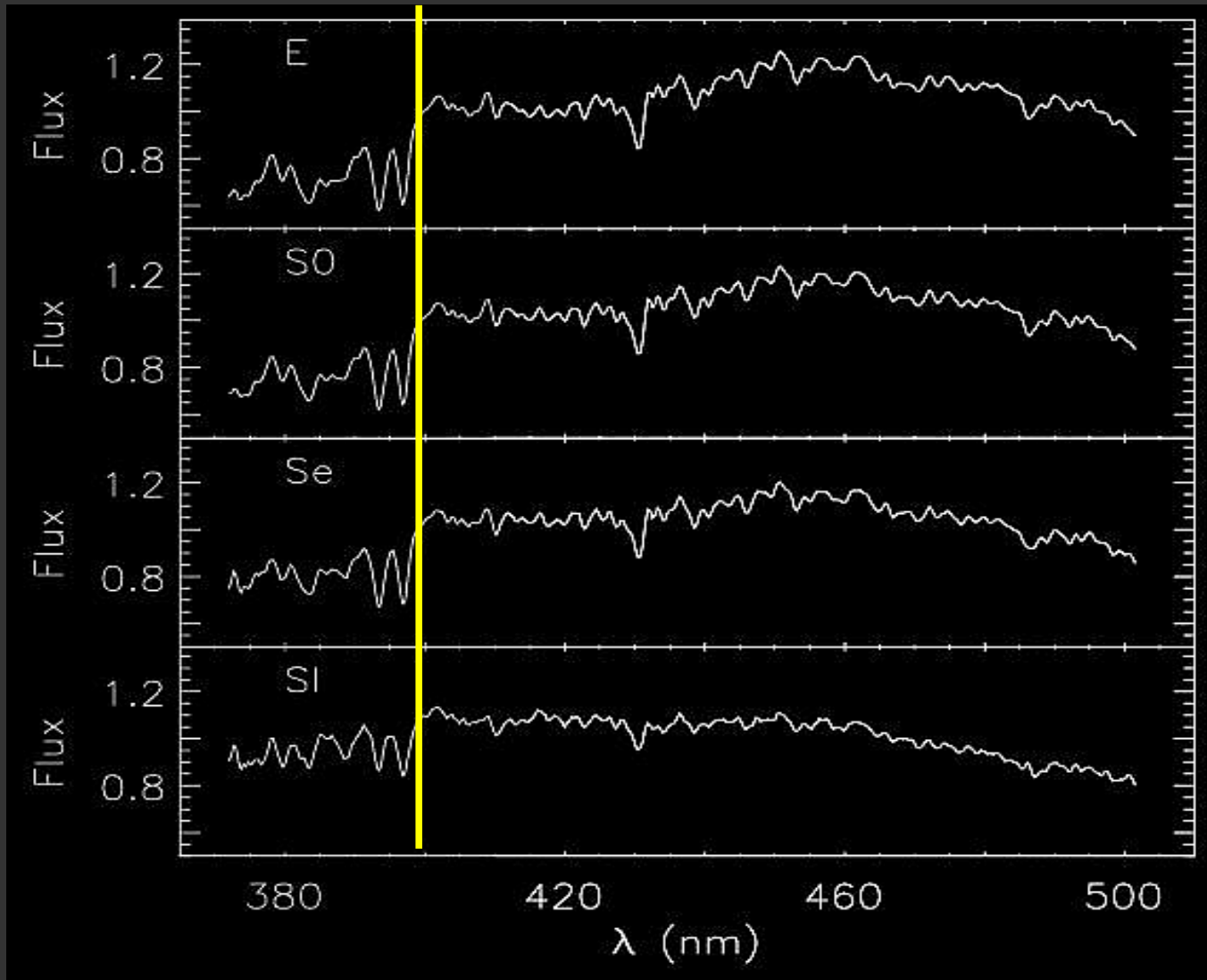
Developed for photometric catalogs

(from Thomas & Katgert 06)



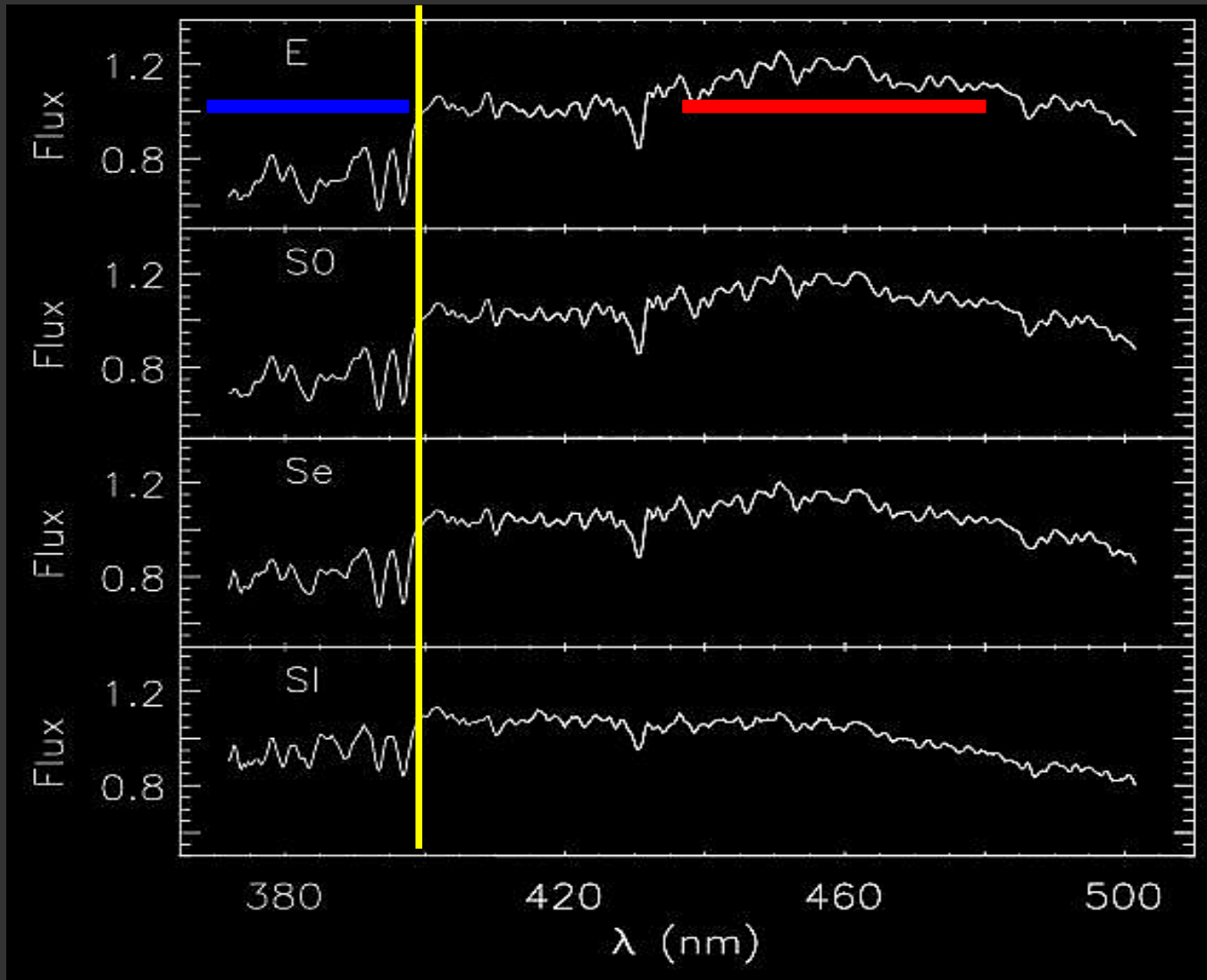
The Cluster Red Sequence method

Developed for photometric catalogs

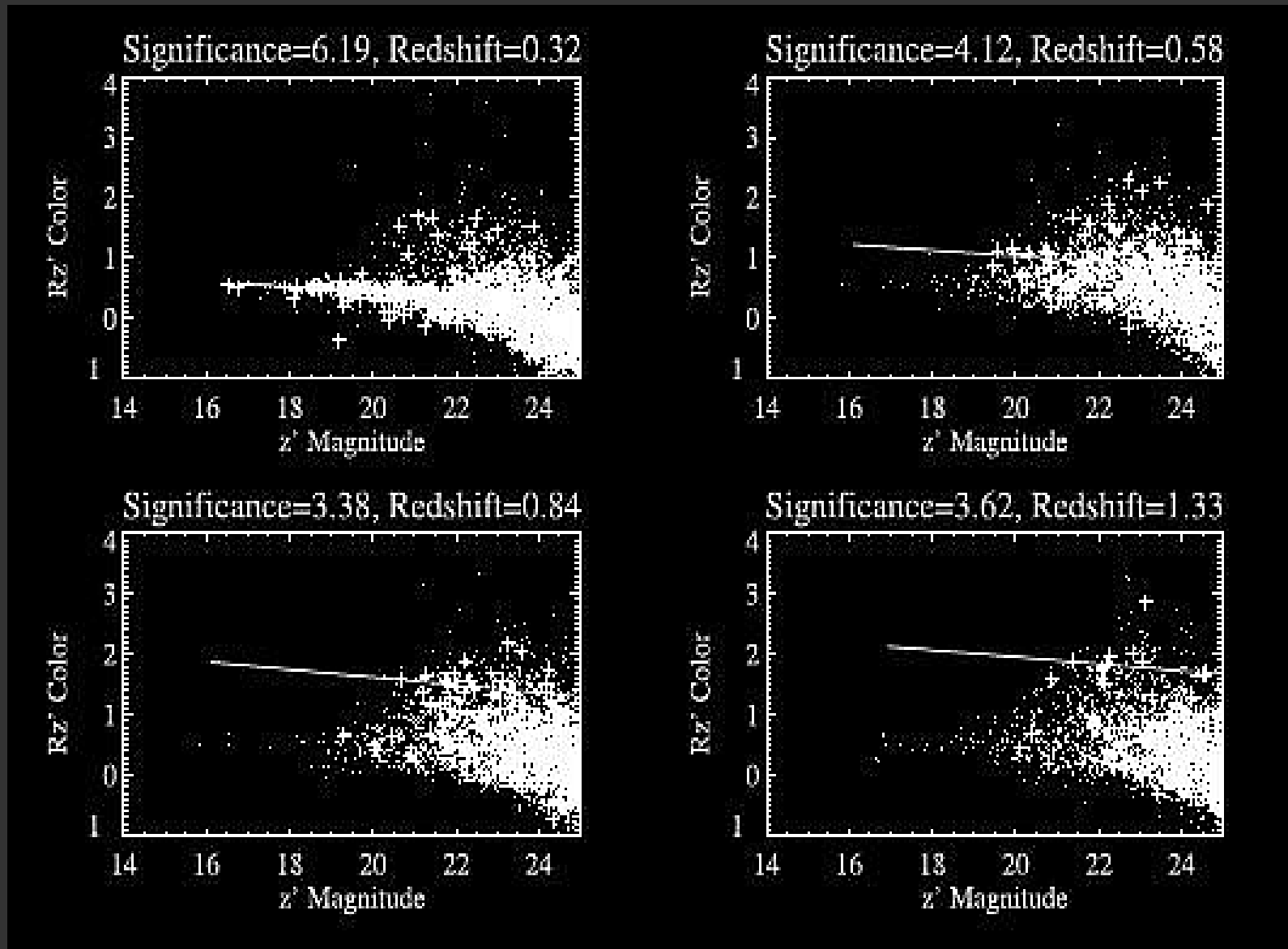


The Cluster Red Sequence method

Developed for photometric catalogs



The Cluster Red Sequence method:



The Cluster Red Sequence method:

- 1) Slice a catalog in color,
- 2) compute galaxy surface density of the slice,
- 3) identify significant overdensities.

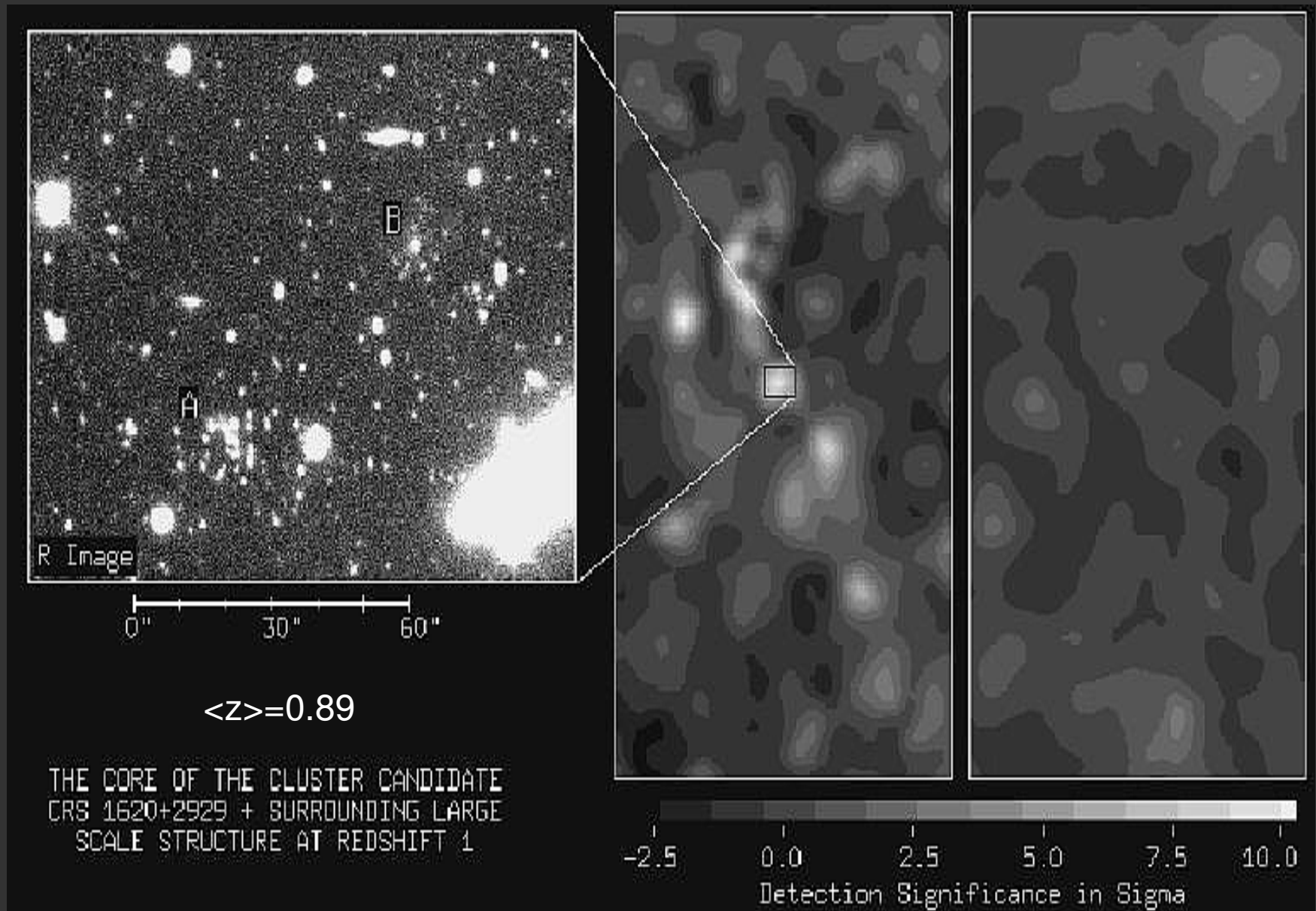
Tested on spectroscopic samples using only photometry:

⇒ only 1/23 clusters missed out to $z=0.5$
$\langle z \rangle$ estimates accurate to $\Delta z \sim 0.03$

Tested on Millennium simulations:

⇒ 80-90 % detected systems unaffected by strong projection effects

The Cluster Red Sequence method:



The Cluster Red Sequence method

CFHT and CTIO large-format camera data

⇒ Red Sequence Cluster survey

~1000 cluster candidates (100 @ $z \sim 1$)

IR needed to find $1 < z < 2$ clusters with CRS:

Spitzer SWIRE data: 70 candidate clusters

Beyond the red sequence:

maxBCG (Bahcall+03)

Relies also on presence of central BCG

Cut & Enhance (Goto+02)

C4 (Miller+05)

Use all colors in SDSS, not only 2 bands

maxBCG applied to SDSS:

13823 clusters $z < 0.3$, $\Delta z \sim 0.01$, $\sigma_v > 400$ km/s

Mocks \Rightarrow 90% pure, 85% complete, $> 10^{14} M_{\odot}$

maxBCG vs. MF:

~80% overlap

imperfect matching due to substructures
and presence of false positives

IR searches for $z > 1$ clusters

(Brodwin+08, Eisenhardt+08, Elston+08, Stanford+05)

7.25 sq deg Spitzer IRAC Shallow survey

z_{phot} slices, overdensity selection

→ 335 candidates, $\sim 10^{14} M_{\odot}$

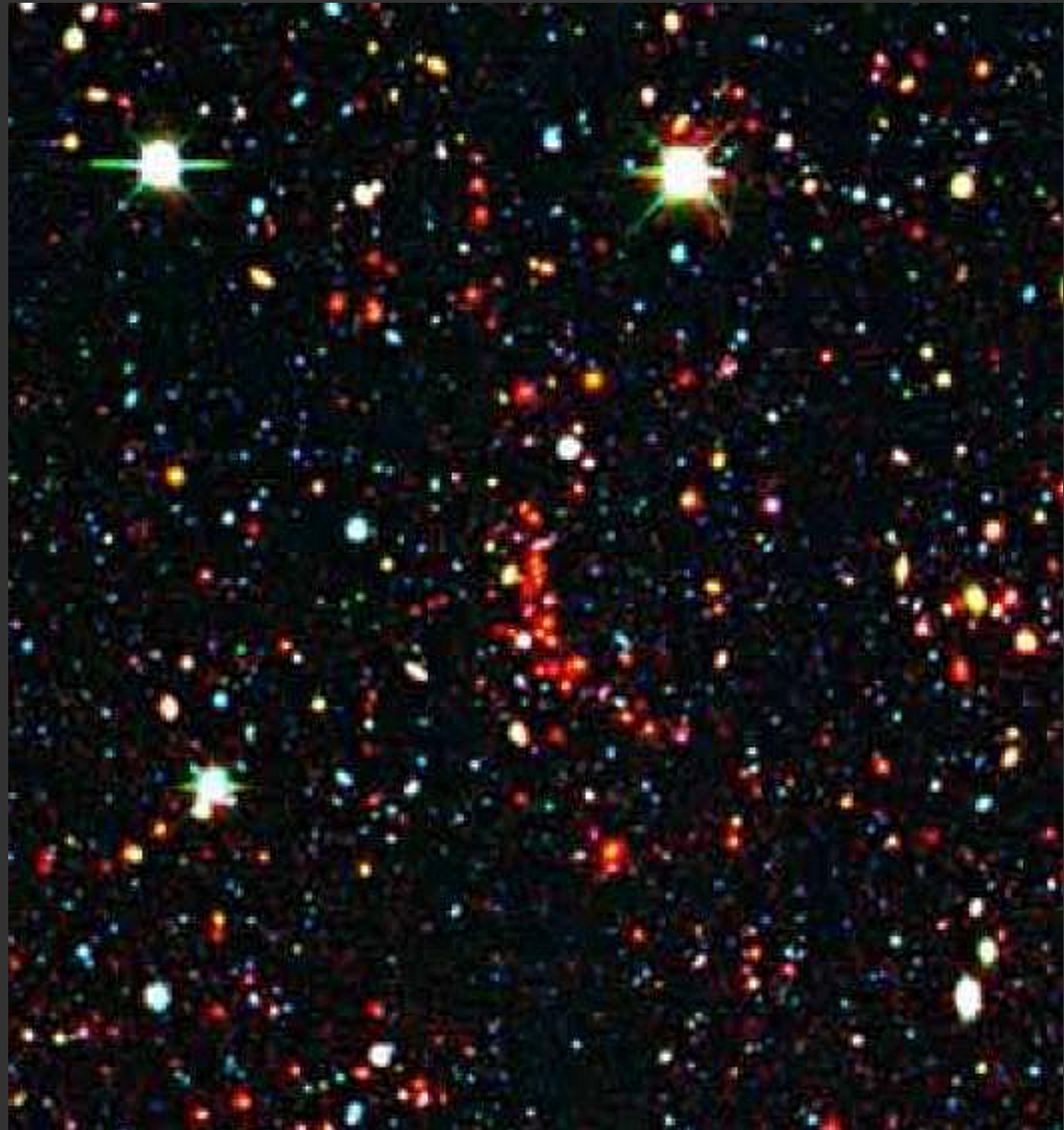
100 $z > 1$ (12 confirmed so far) ~ 10 at $z > 1.5$

IR searches for $z > 1$ clusters

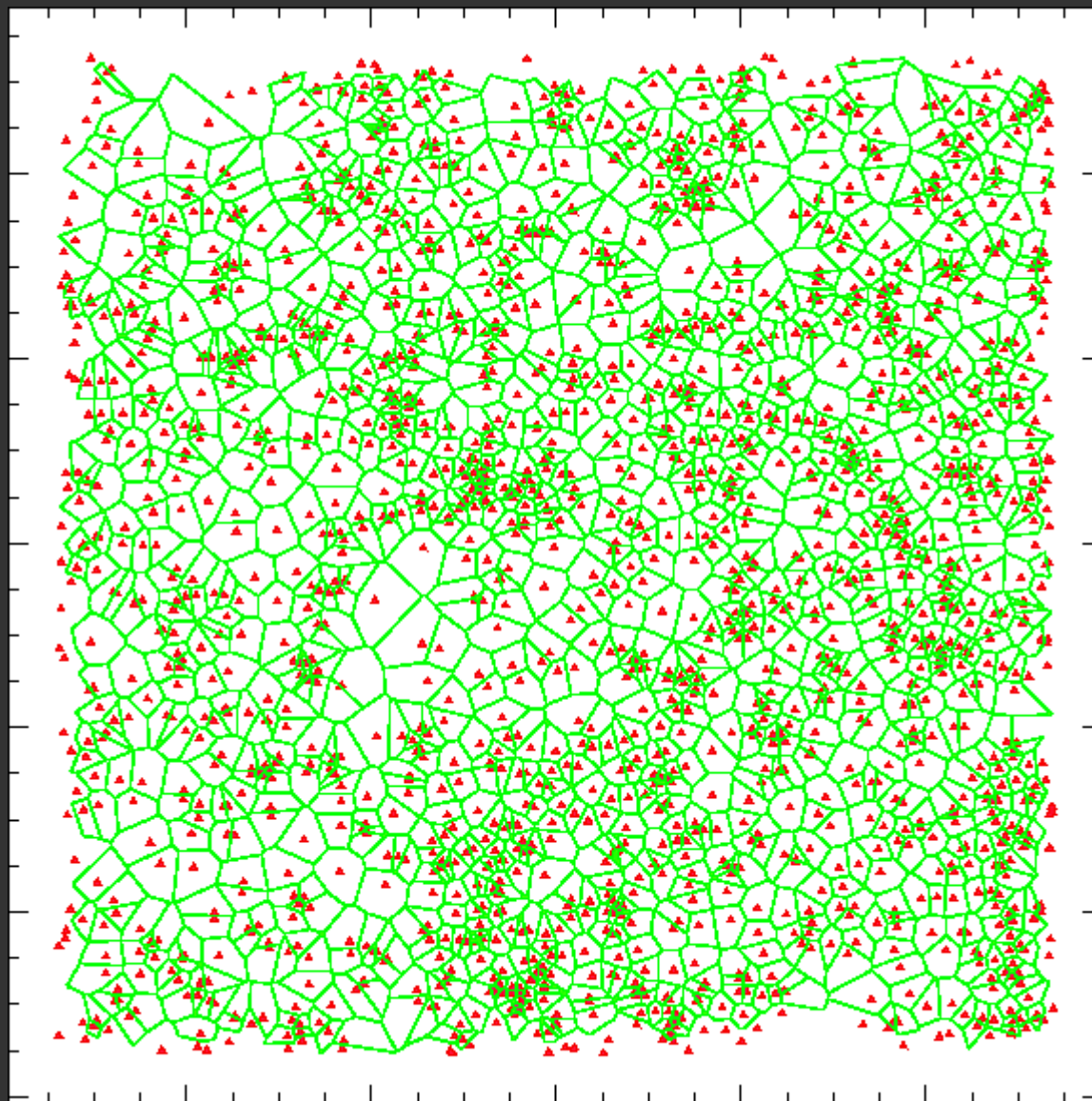
$z_p = 1.24$

5' x 5'

2.5 x 2.5 Mpc²

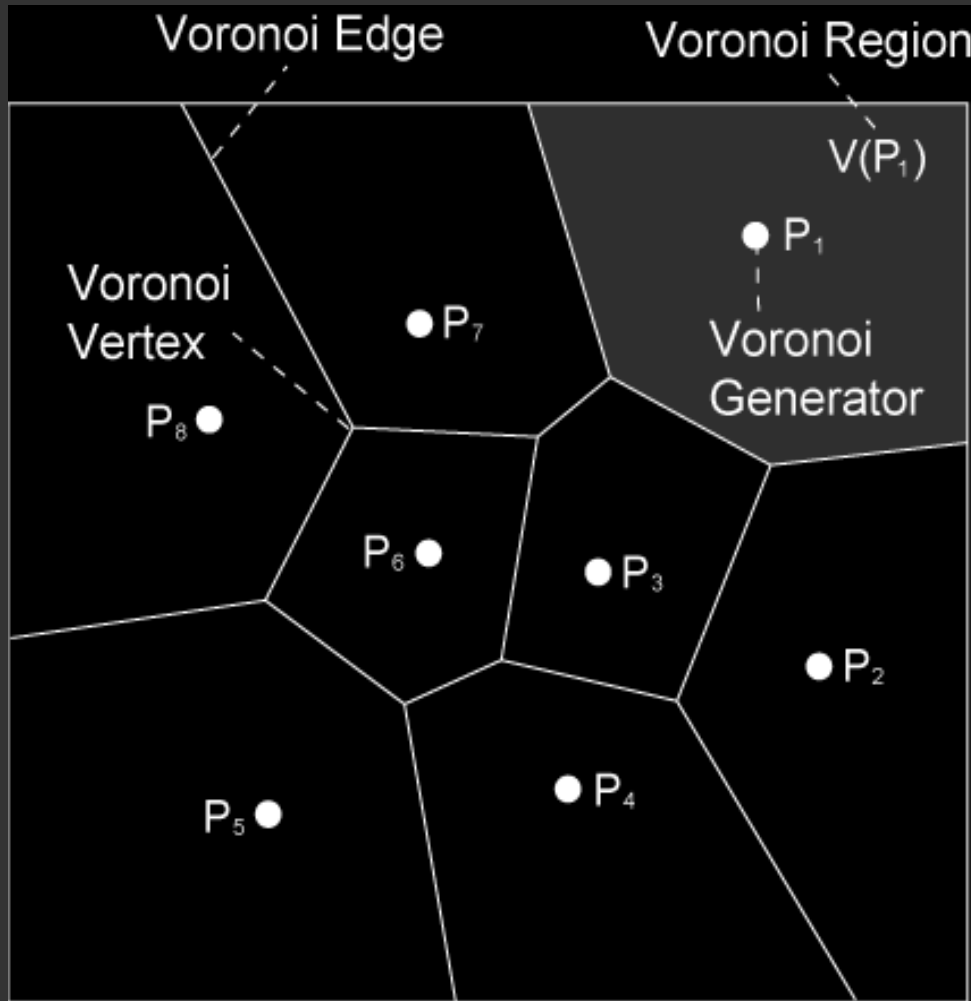


The Voronoi Galaxy Cluster Finder (Ramella+01)



The Voronoi Galaxy Cluster Finder

Developed for photometric catalogs



Galaxies = Voronoi
generators

$1/\text{Area}(\text{Voronoi Region}) =$
density

Clusters = ensembles of
adjacent cells
with density
> threshold

The Voronoi Galaxy Cluster Finder

Non-parametric

Imposes no constraints on cluster shape

Using z_{phot} slices $\rightarrow z \sim 1$ detections

Using spectroscopic catalogs (DEEP2 GRS)

\rightarrow 105 systems $z \sim 0.9$, $\sigma_v \sim 500$ km/s

One step up in the cosmic hierarchy: superclusters

FoF and overdensity techniques
using clusters rather than galaxies

LSS statistical characterization

(e.g. the **genus** statistics:

~ the number of holes a surface has)

Global properties:
richness, luminosity, mass

Cluster catalogs + cluster masses

→ cosmology

Cluster catalogs + cluster masses

→ cosmology



When direct Mass
measurements too expensive,

Cluster catalogs + cluster masses

→ cosmology



When direct Mass measurements too expensive, use M-proxies:



1) richness (multiplicity), N

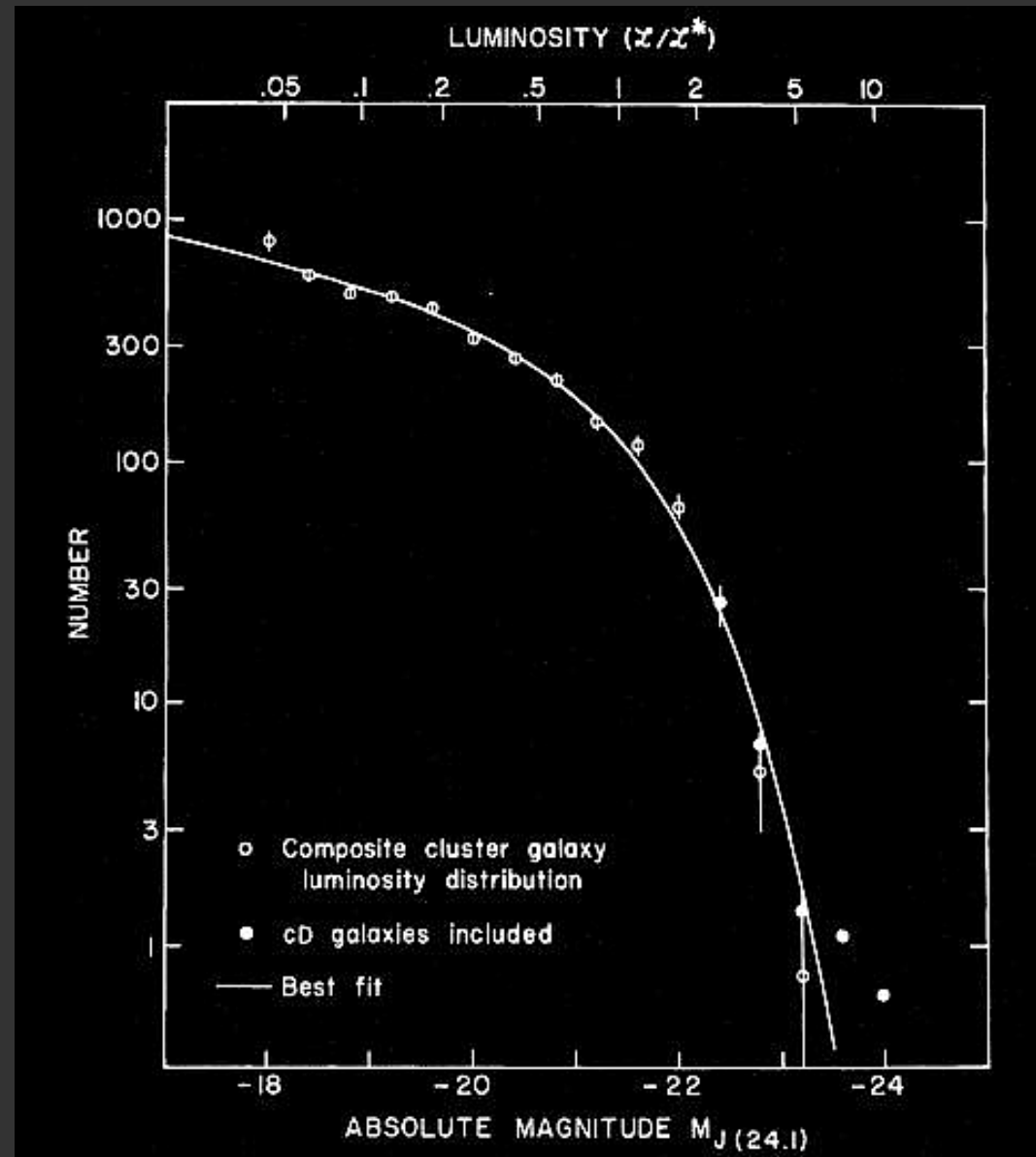
2) total luminosity of cluster galaxies, L

N and L:

- count galaxies, sum galaxy luminosities;
- correct for incompleteness;
- subtract field contribution;

L only:

- fit analytic function;
- extrapolate beyond m_c



Schechter (1976) function:

$$\phi(L)dL = \phi_* (L/L_*)^\alpha \exp(-L/L_*) d(L/L_*)$$

An alternative richness estimate: B_{gc}

(Yee & López-Cruz 2003)

Amplitude of 3-d spatial correlation function
between the cluster center and cluster galaxies,

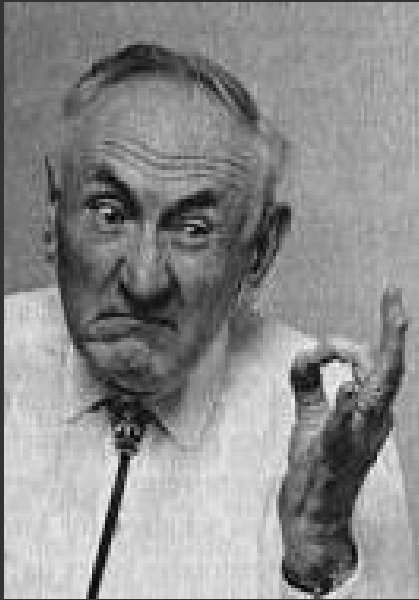
$$\xi(r) = B_{gc} r^{-\gamma}$$

Requires background correction
and luminosity function (LF)

Robust vs. change of: assumed LF
spatial aperture
limiting magnitude

Direct M estimate from the virial theorem

(Zwicky 33, 37; Smith 36)



$$M = 3\pi f_{sp} \sigma_p^2 R_h / G$$

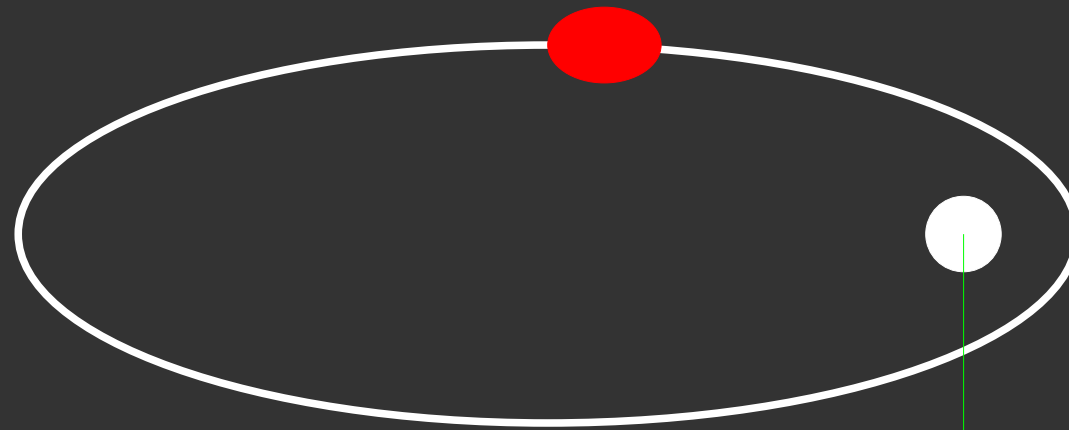
$$R_h = \frac{1}{2} \frac{N(N-1)}{\sum_{i>j} R_{ij}^{-1}}$$

$$f_{sp} = 1 - \frac{4\pi r_l^3}{\int_0^{r_l} 4\pi x^2 \rho dx} \frac{\rho(r_l)}{\sigma^2(<r_l)} \frac{\sigma_r^2(r_l)}{\sigma^2(<r_l)}$$

$$f_{sp} \approx 0.8-0.9 \text{ at } r_l \approx r_{200}$$

Direct M estimate from the virial theorem:

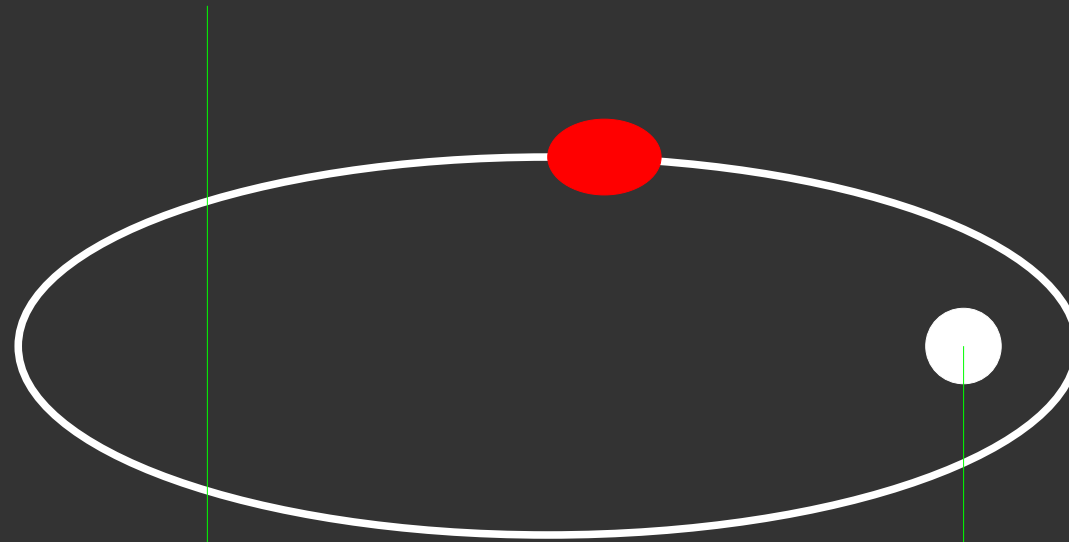
The surface pressure term



cluster center

Direct M estimate from the virial theorem:

The surface pressure term

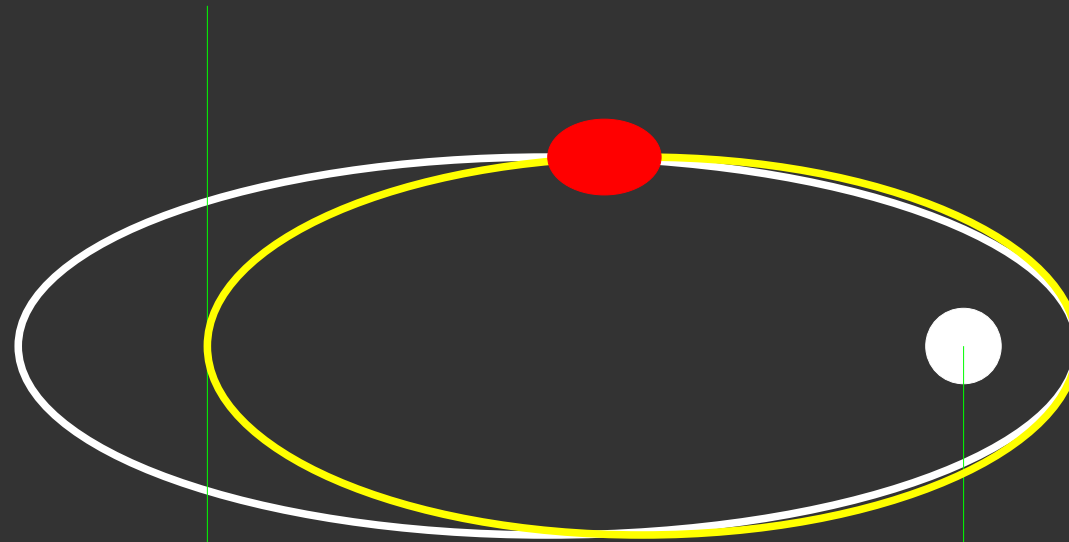


r_l

cluster center

Direct M estimate from the virial theorem:

The surface pressure term

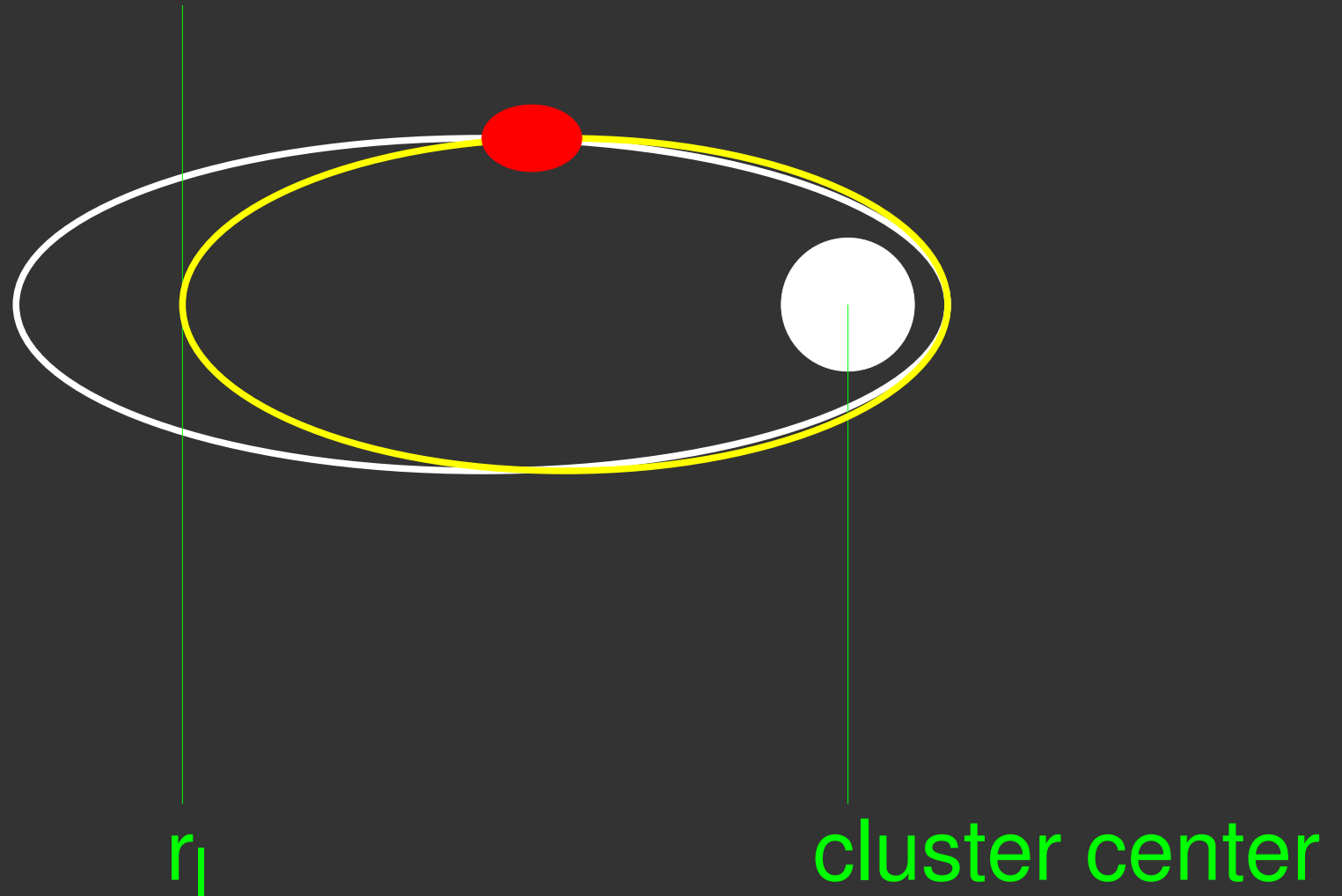


r_l

cluster center

Direct M estimate from the virial theorem:

The surface pressure term

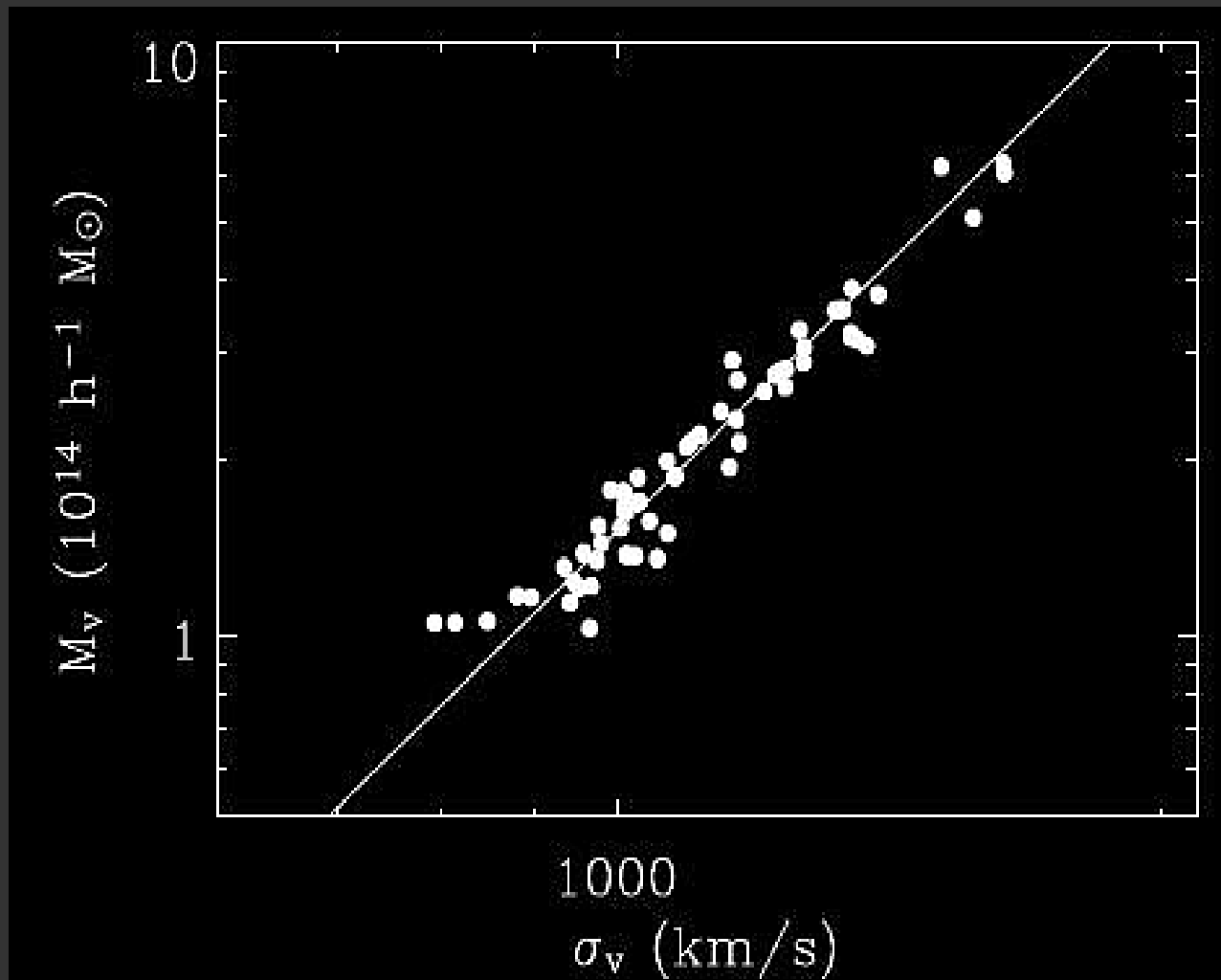


Direct M estimate from the virial theorem:
The surface pressure term



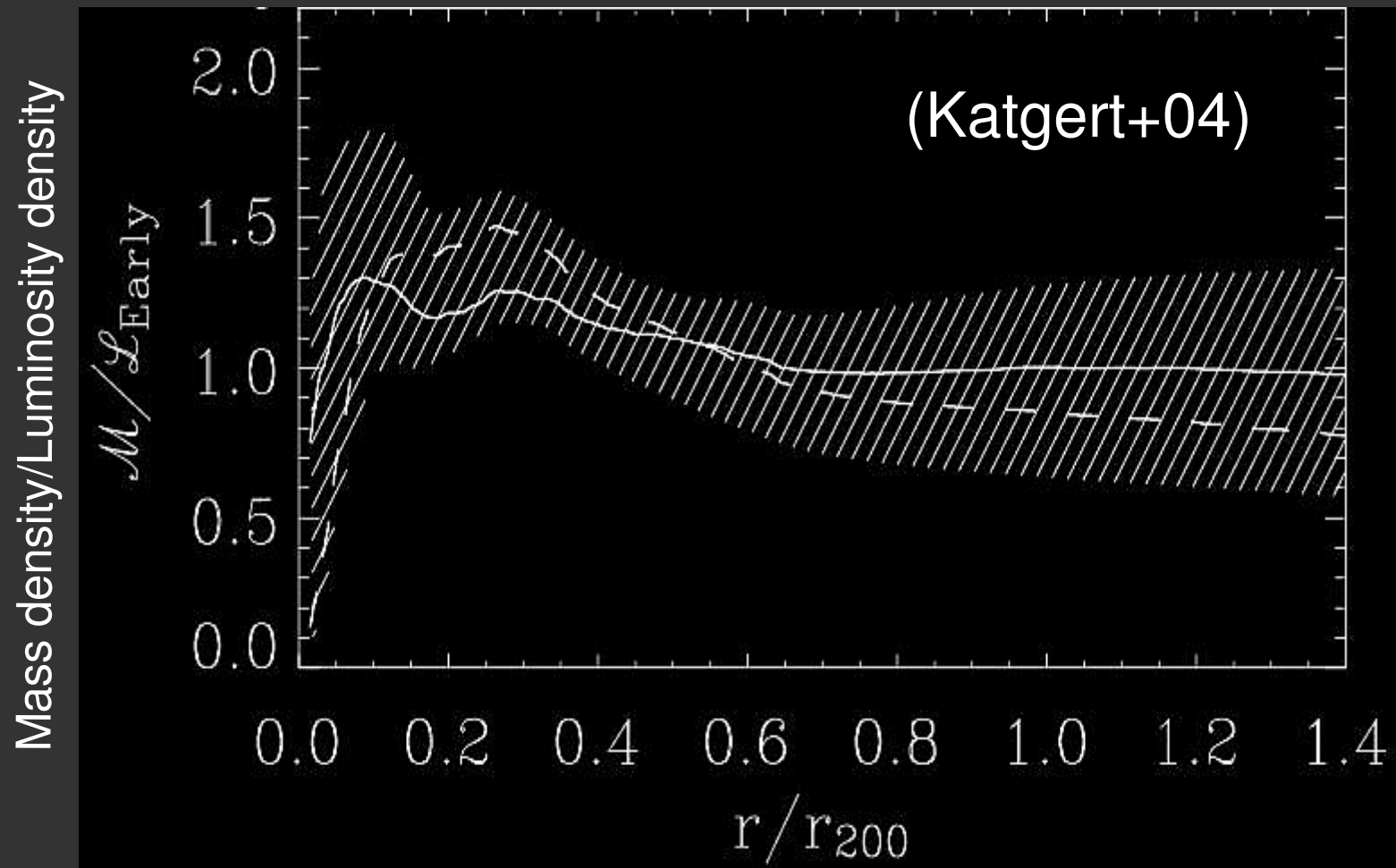
Direct M estimate from velocity dispersion

(from numerical SPH simulations; Biviano+06)



Direct M estimate:

are the tracers distributed like the mass?

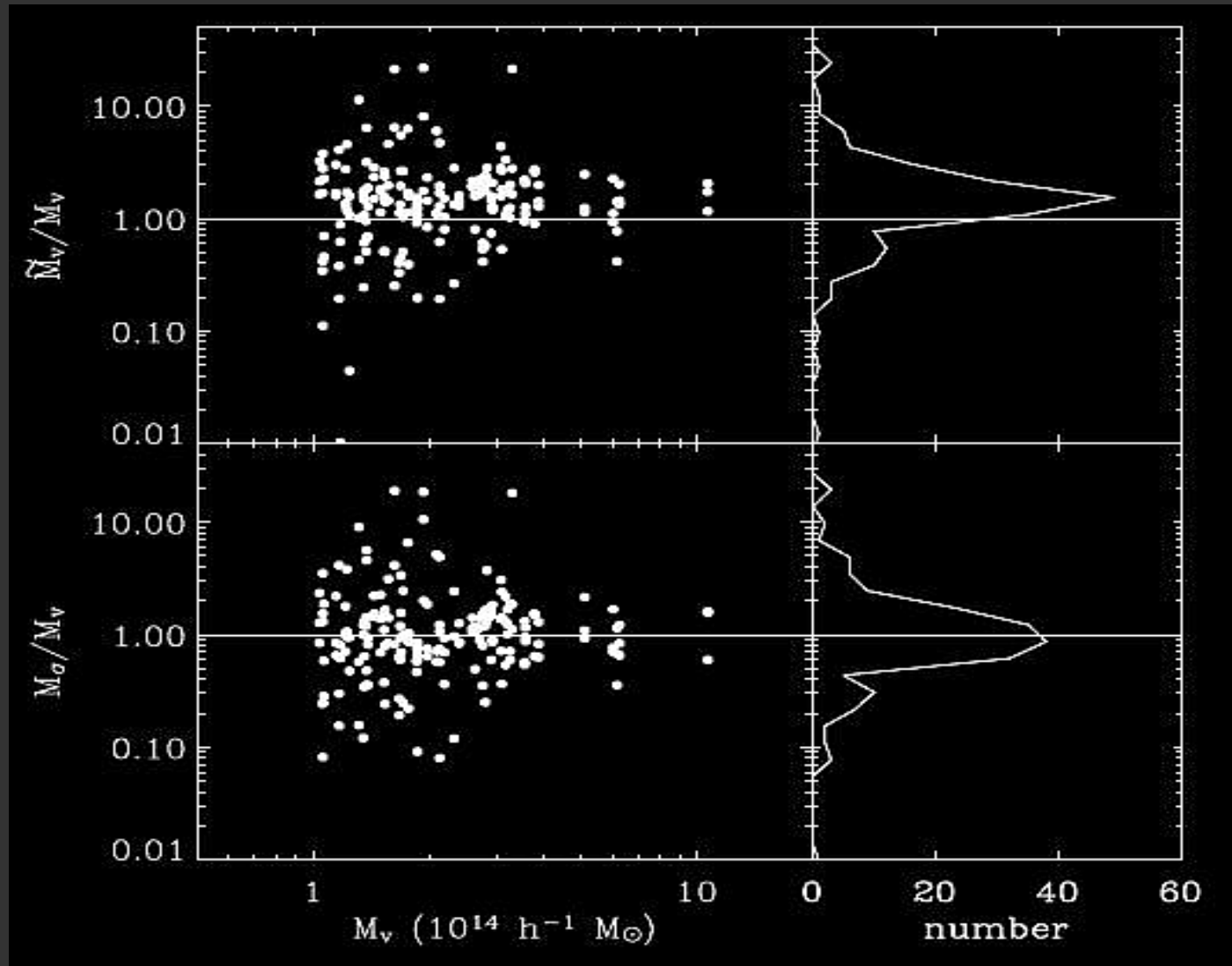


Yes, if tracers = ETG; using LTG \Rightarrow M overestimate

Direct M estimate:

reliability (from numerical SPH simulations; Biviano+06)

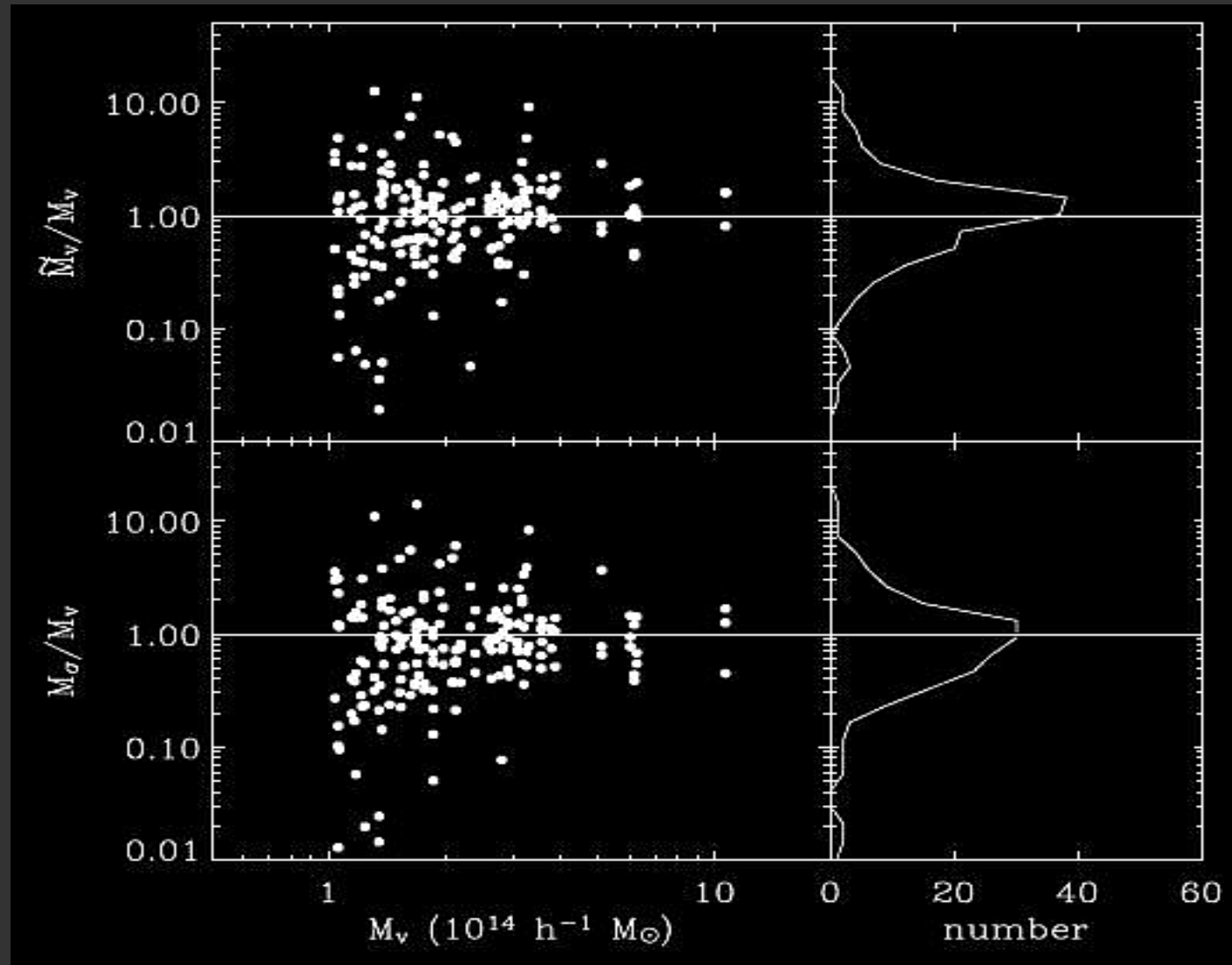
All galaxies



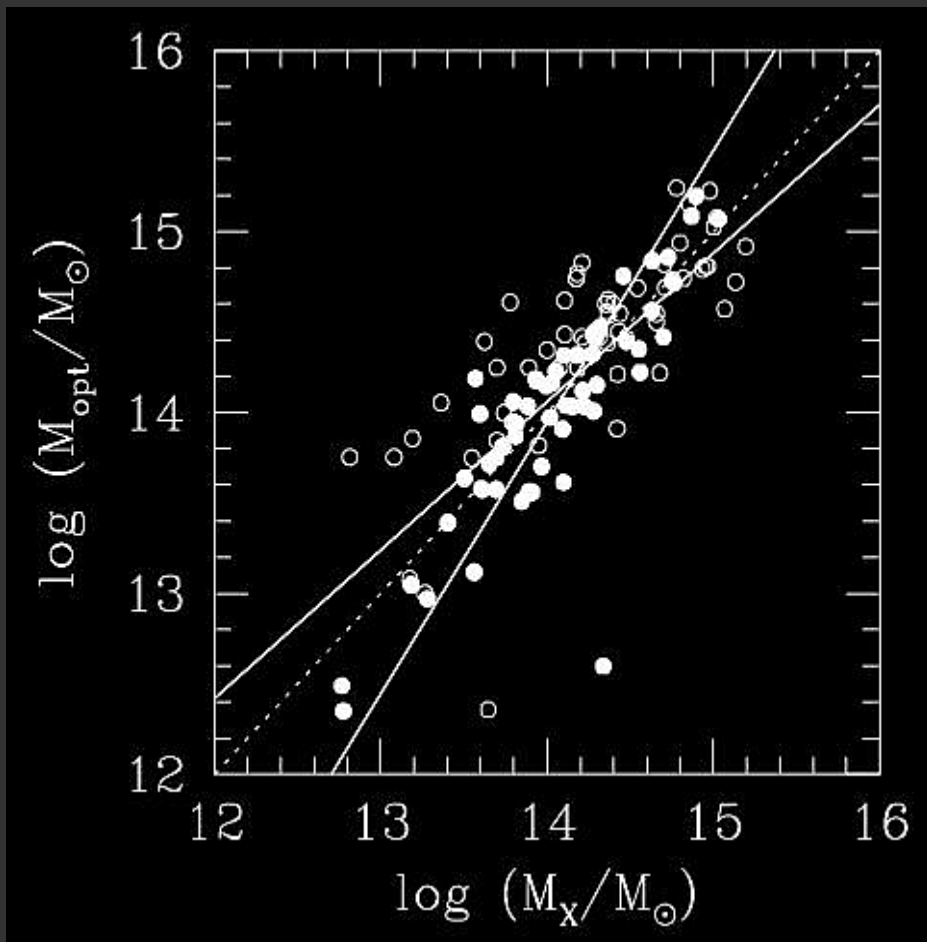
Direct M estimate:

reliability (from numerical SPH simulations; Biviano+06)

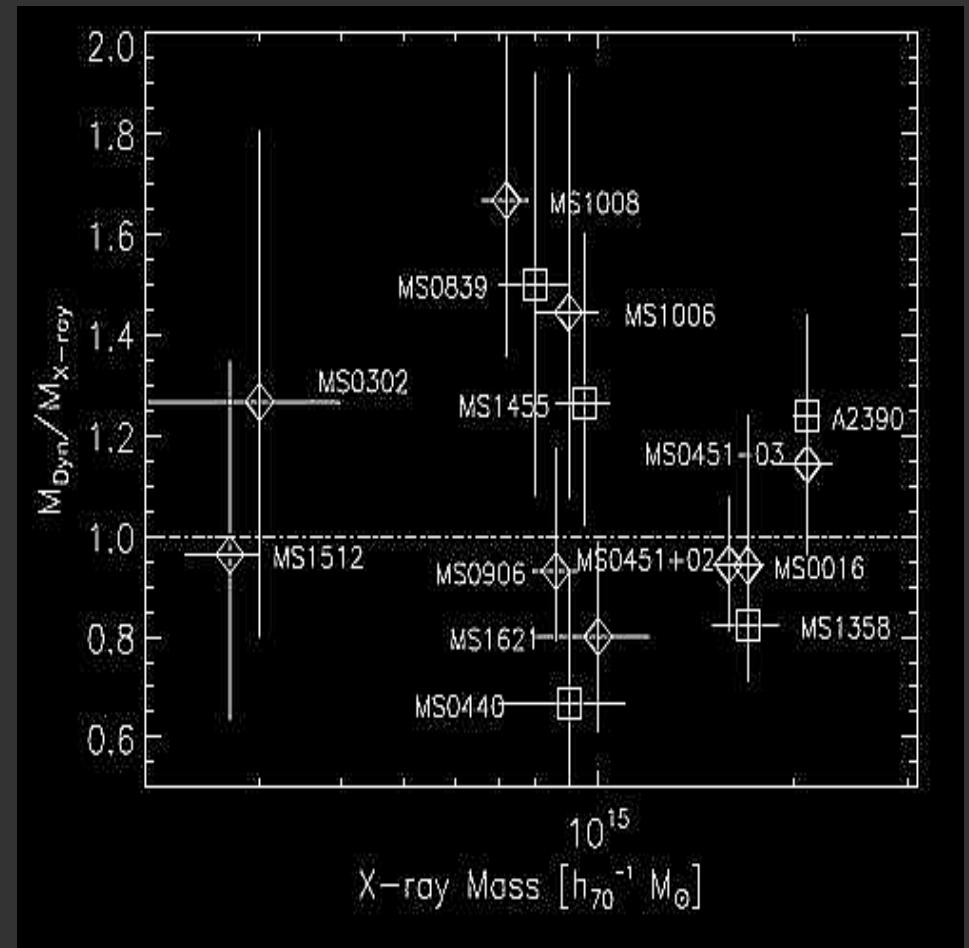
ETG only



Direct M estimate: comparison with X-ray estimates



Nearby clusters (Girardi+98)



Medium-z clusters (Hicks+06)

Scaling relations:
richness & luminosity vs. mass

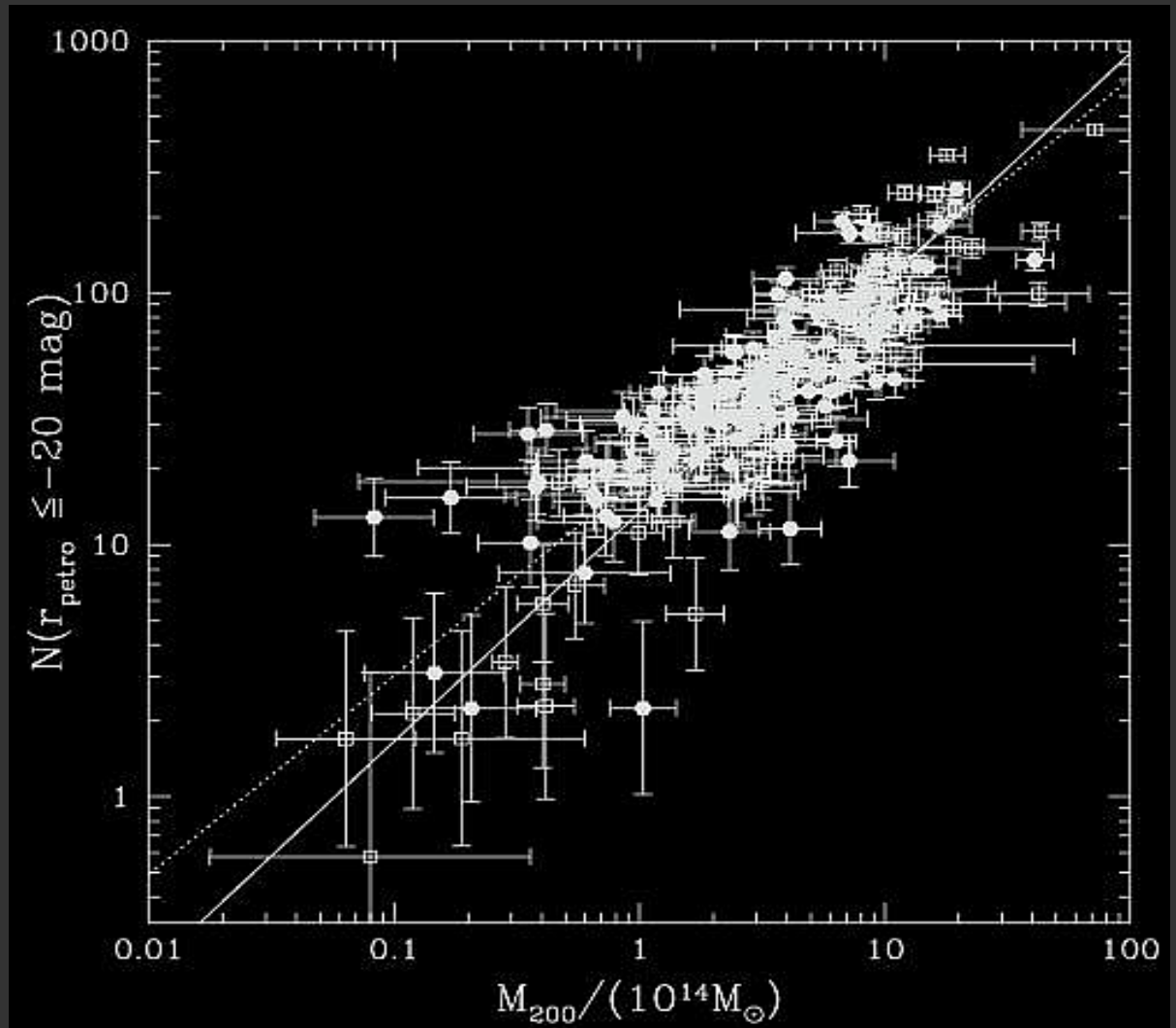
$N, L \Rightarrow M$
with 30-40 %
accuracy

$\approx Lx \Rightarrow M$
accuracy

$M \uparrow$ scatter \downarrow

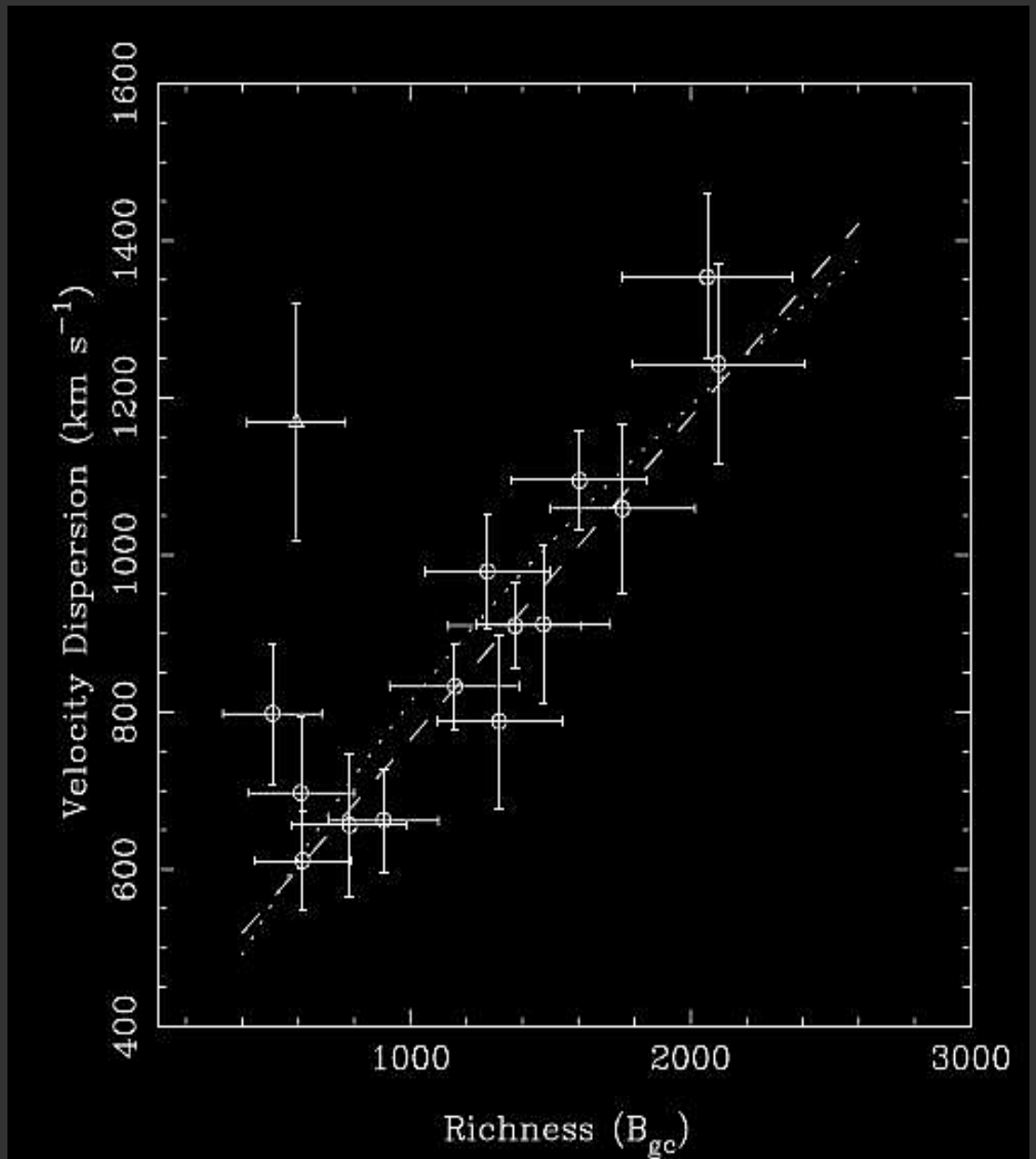
Scatter \downarrow

in more regular clusters



(Popesso+07)

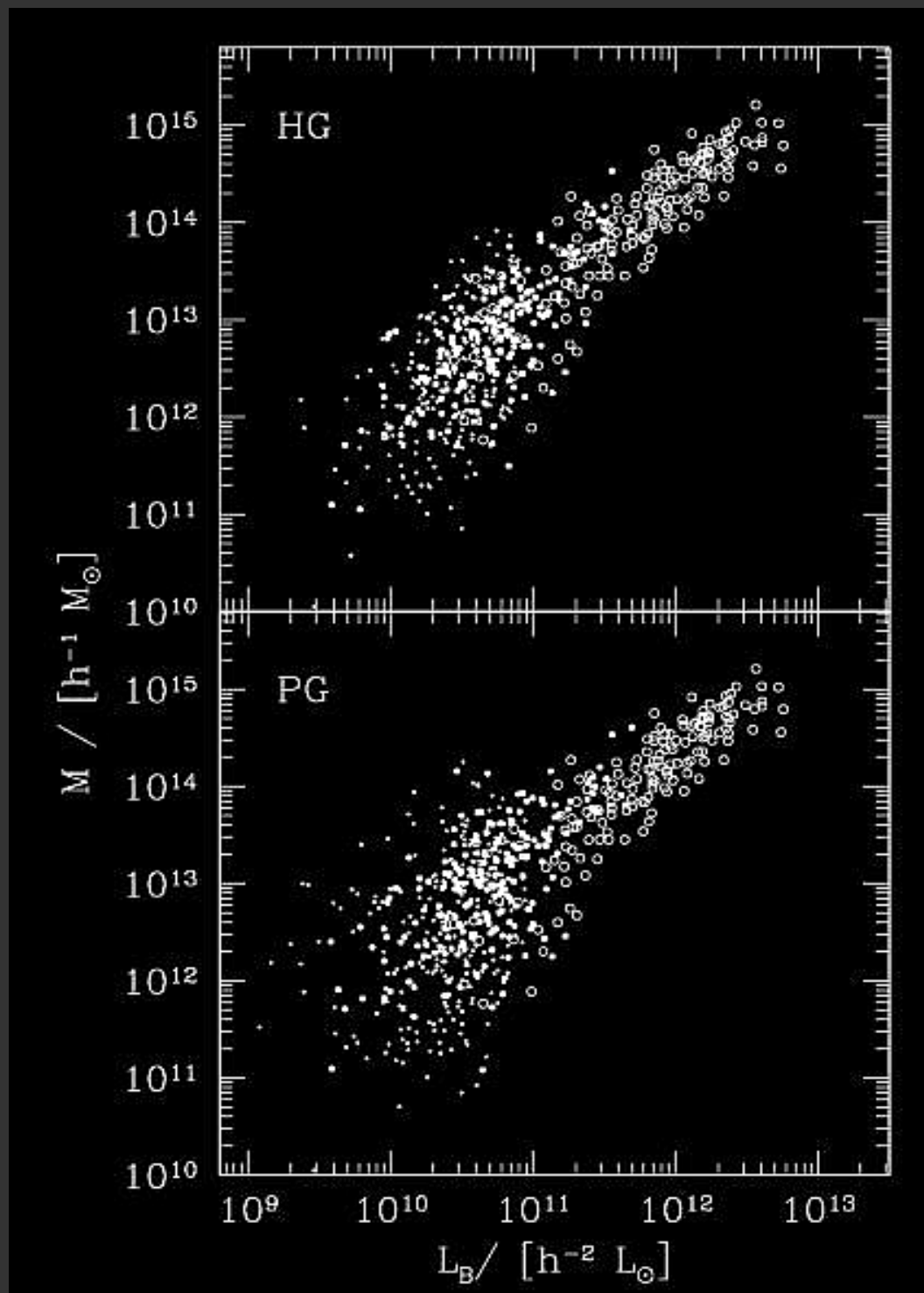
Linear relation on cluster scales



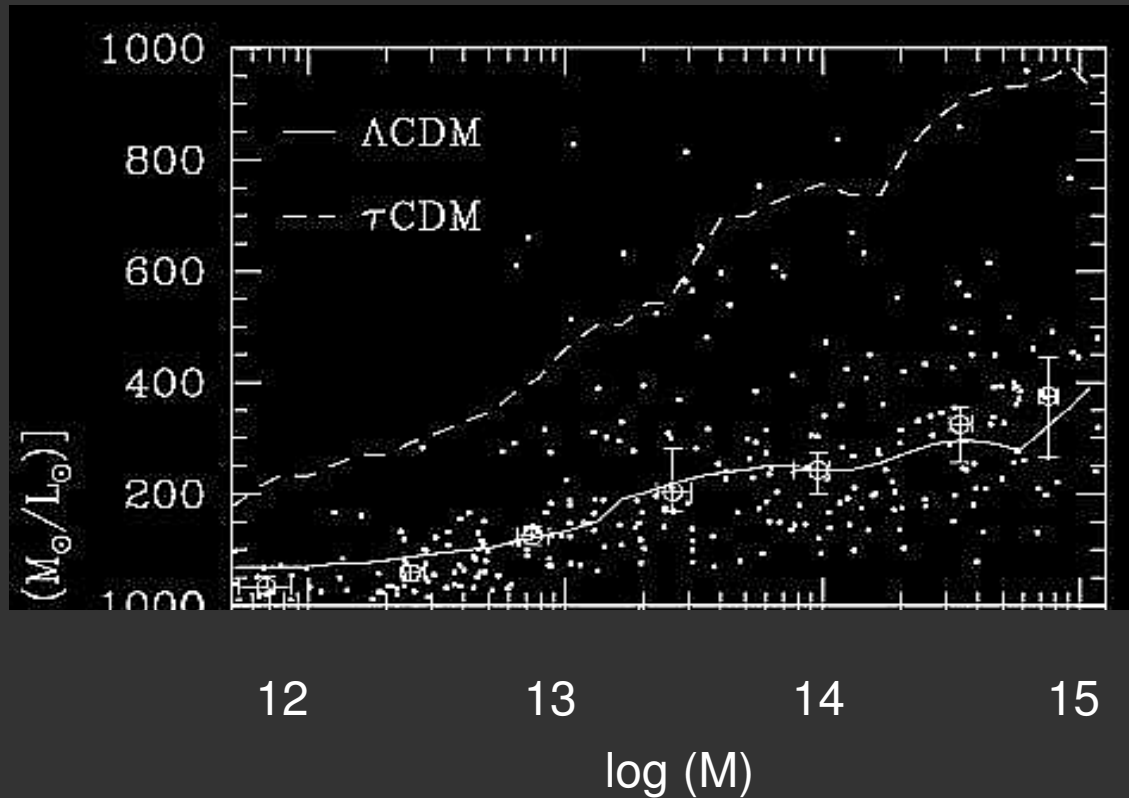
(Yee & Ellingson 03)

Linear relation
on cluster scales
...not on group scales

(Girardi+02)



M/L vs. M and theoretical predictions

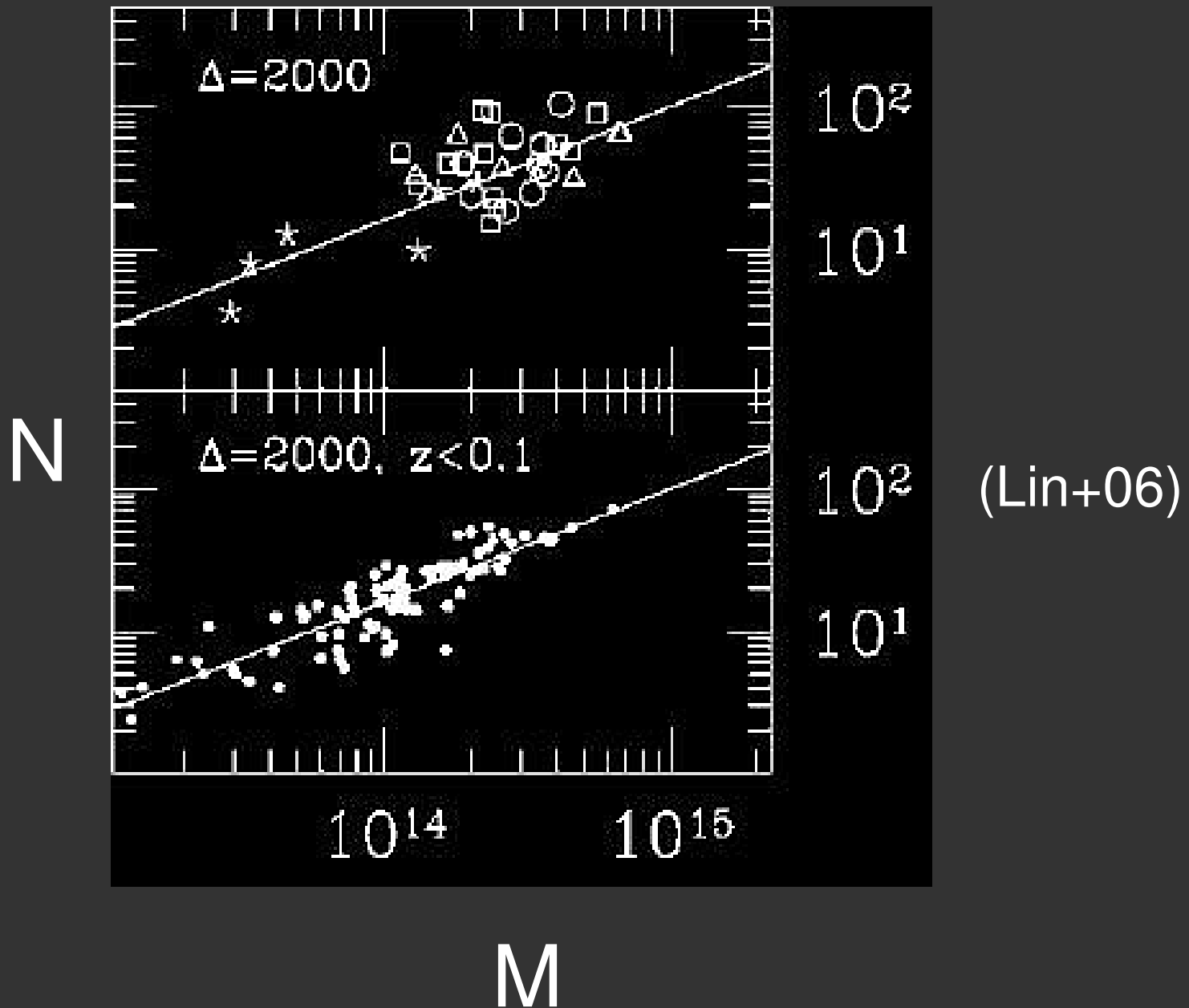


(Girardi+02)

Agreement with SAM:

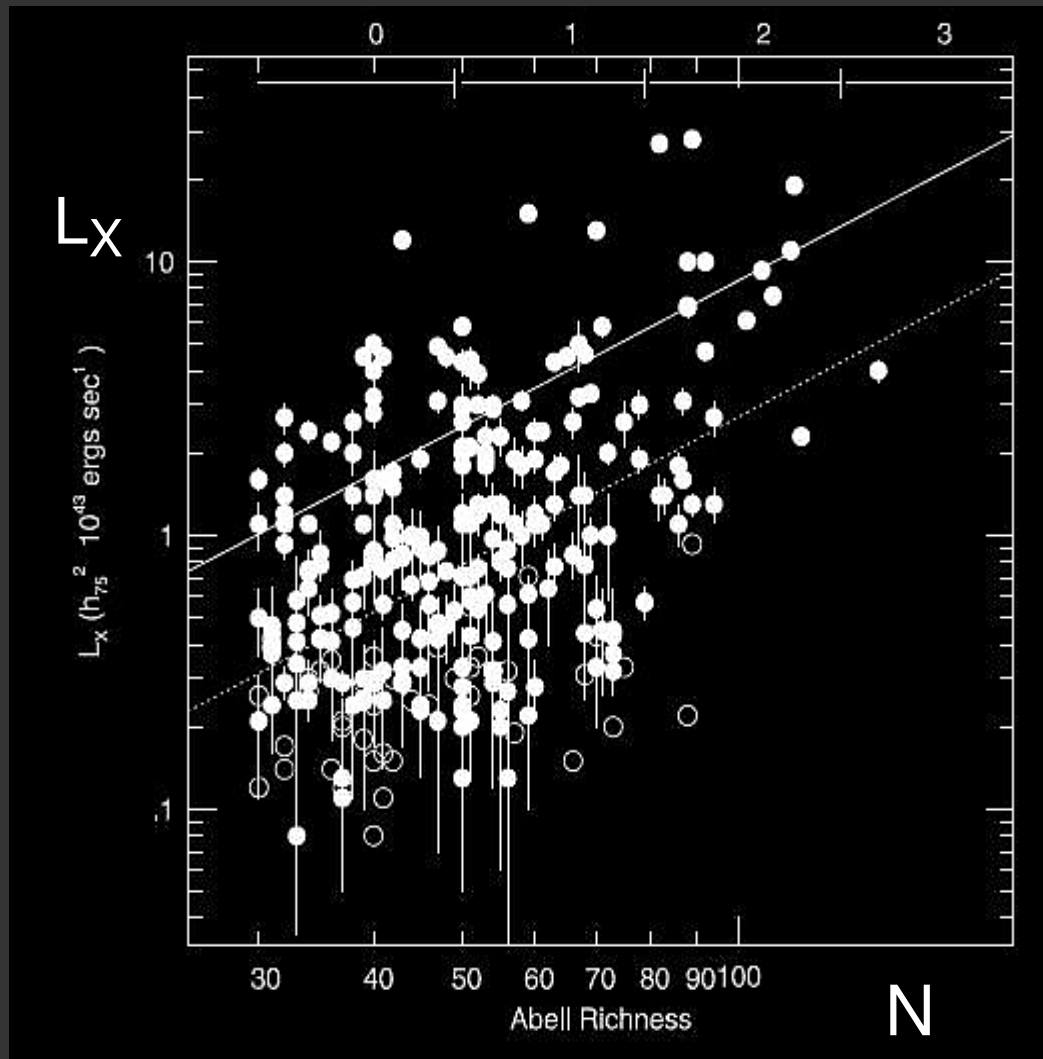
SF efficiency regulated by cool gas reheating (small scales)
and (long) cooling time of hot gas (large scales)

N vs. M does not evolve out to $z=0.9$



Biases in cluster selection?

Compare different M proxies



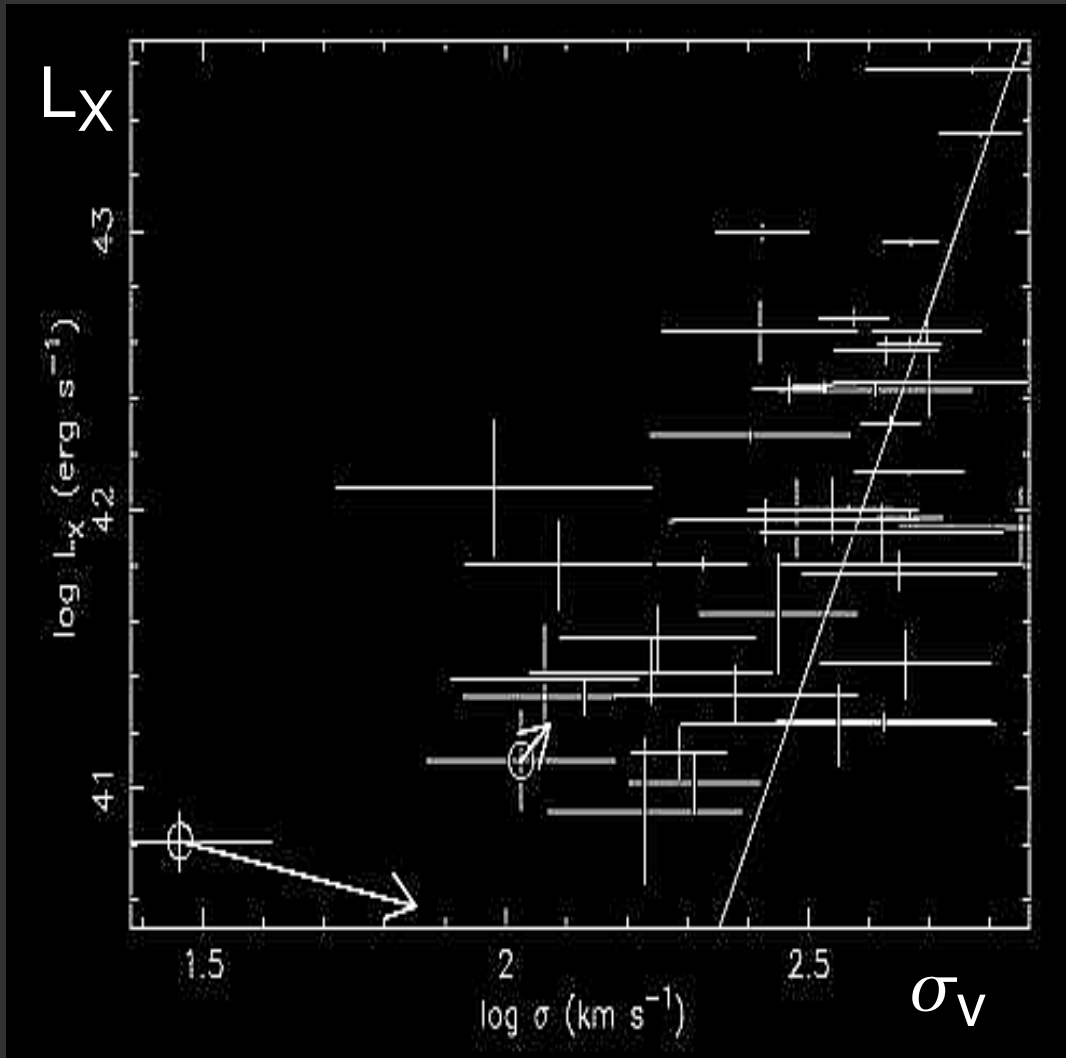
Low- L_X clusters
at given N :

systems in formation
or projection effects?

(Ledlow+03)

Biases in cluster selection?

Compare different M proxies



Low- σ_v groups
at given L_X :

dynamically evolved
(dynamical friction)
or projection effects?

(Ledlow+03)

Cosmological constraints

The Oort technique: $\Omega_m = \langle M/L \rangle \rho_L / \rho_c$



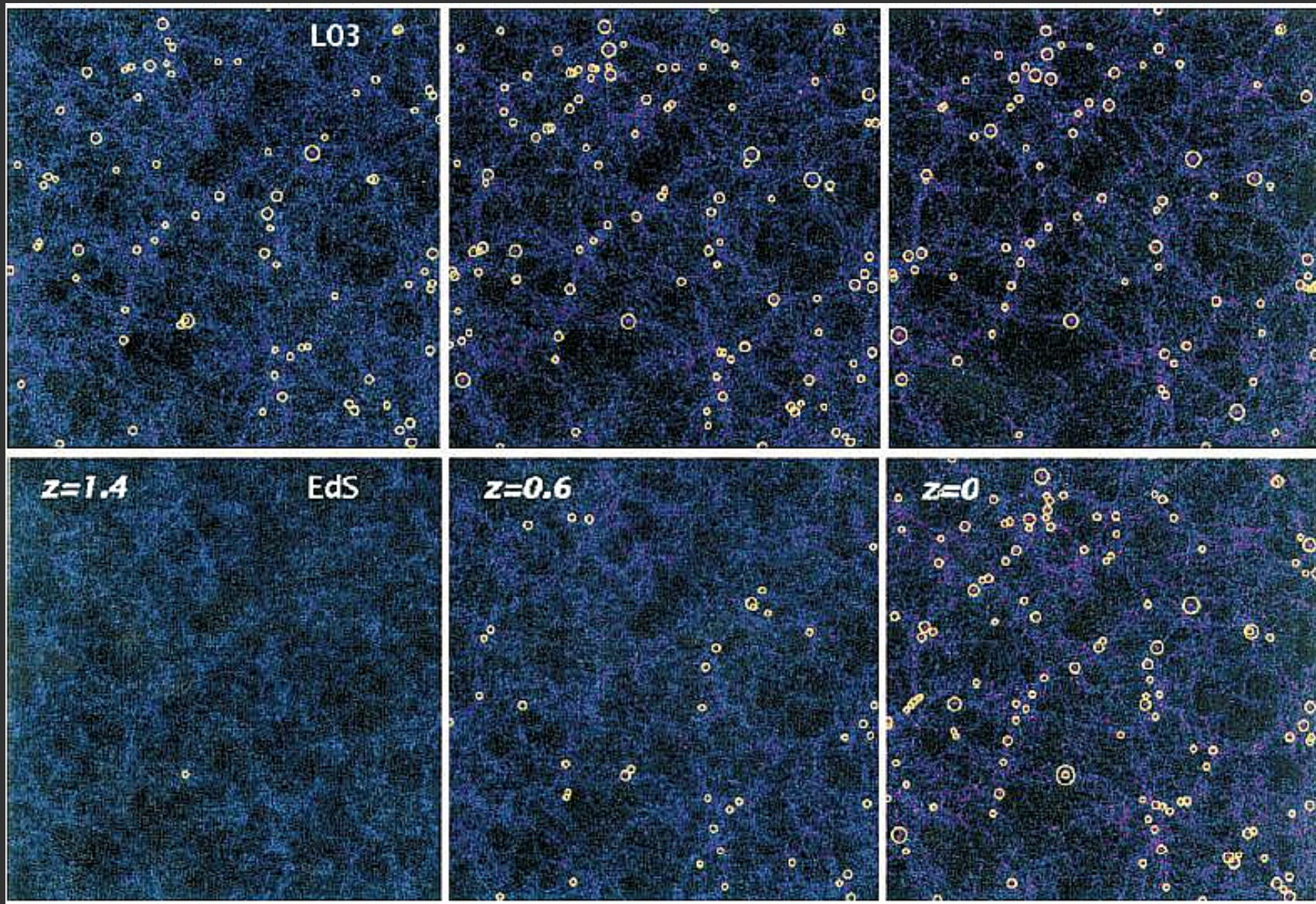
Cluster $\langle M/L \rangle \sim$ Universal value
(assembled from regions >10 Mpc)

Abell 65: 1st result, $0.1 < \Omega_m < 1.0$

The cluster mass function, $n(M,z)$

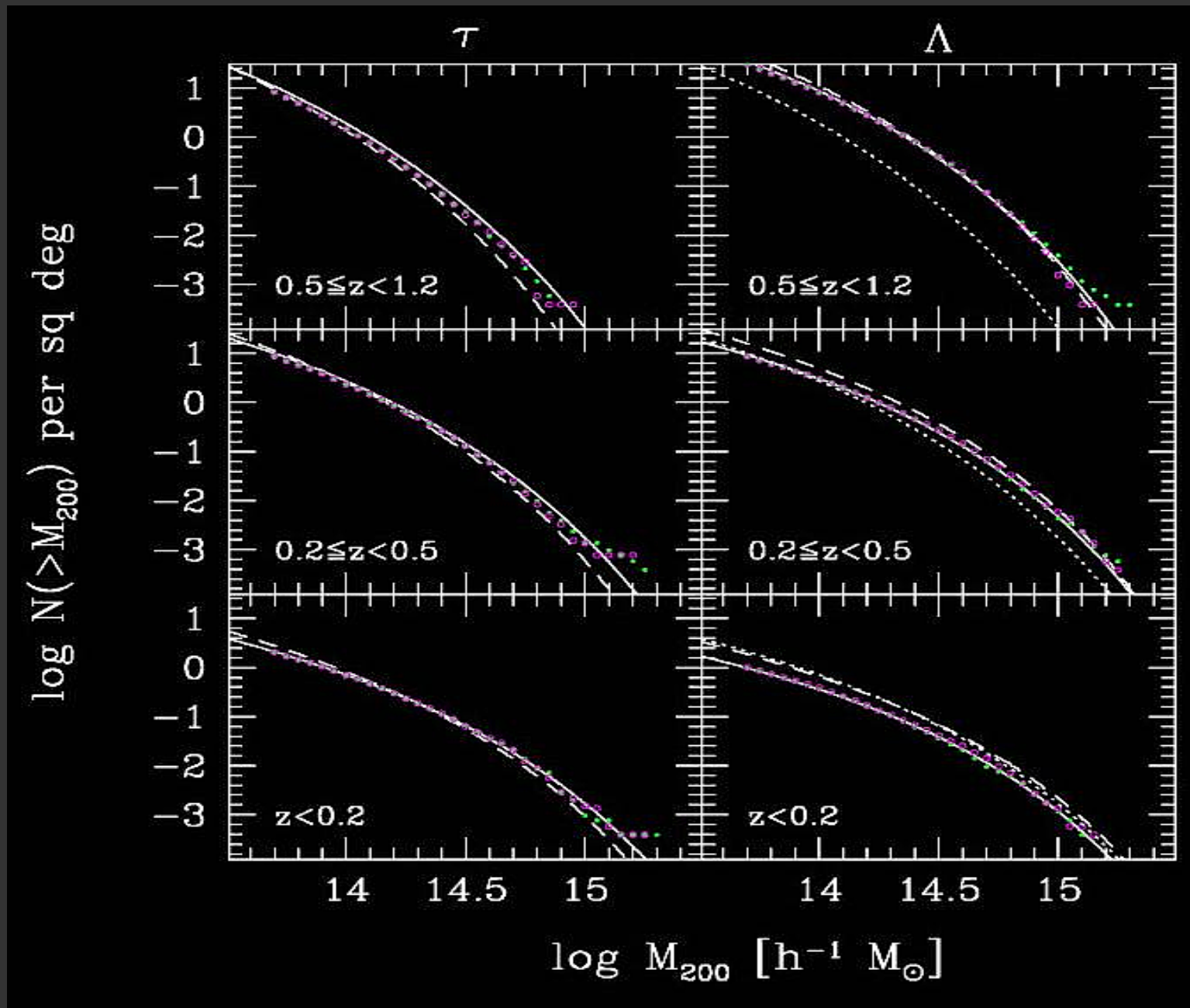
Constrains Ω_m and σ_8

(Borgani & Guzzo 01)



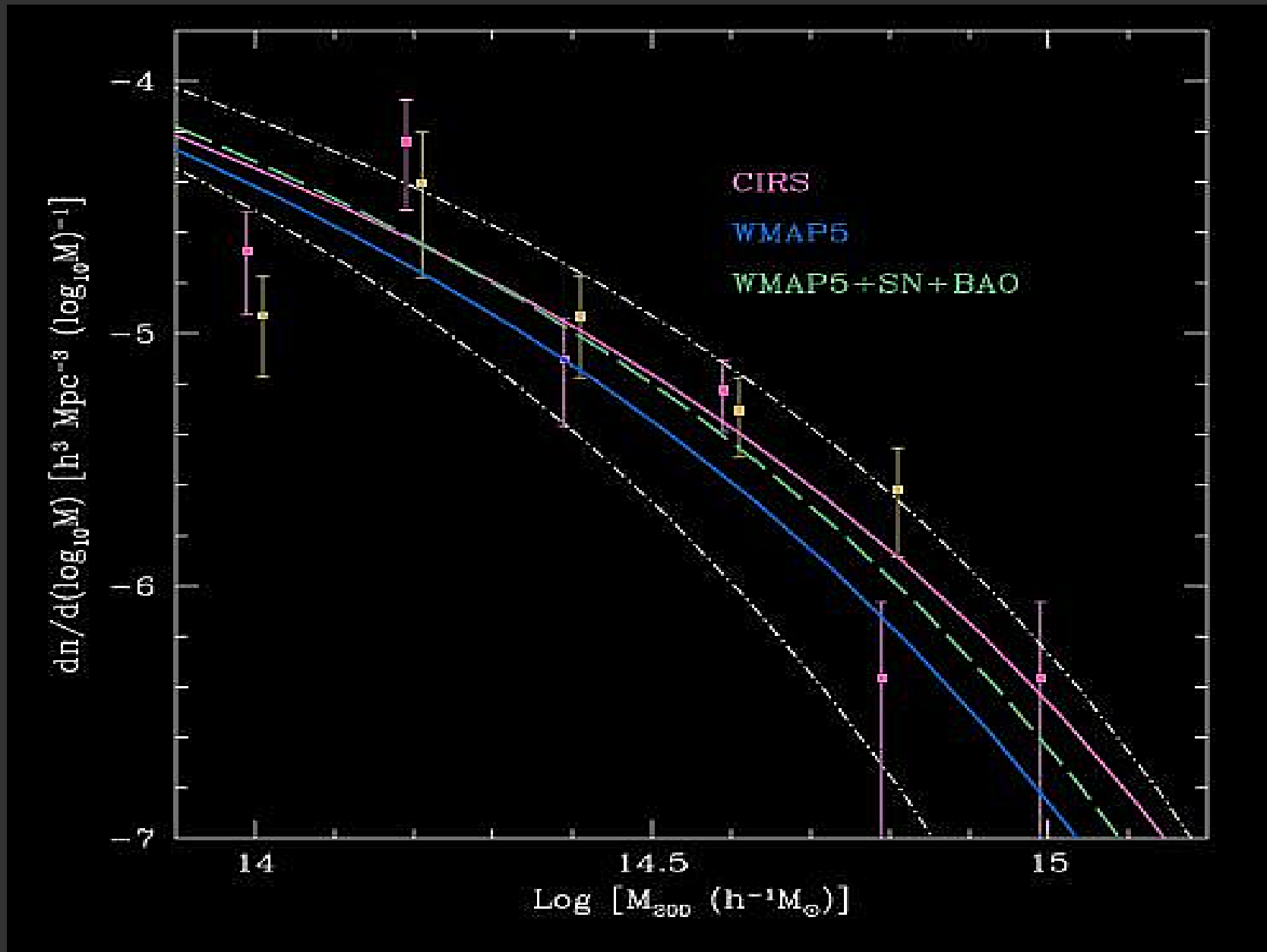
The cluster mass function, $n(M,z)$

(Evrard+02)



E.g.: The CIRS virial mass function (Rines+08)

72 nearby clusters with accurate M determination



Too many massive superclusters?

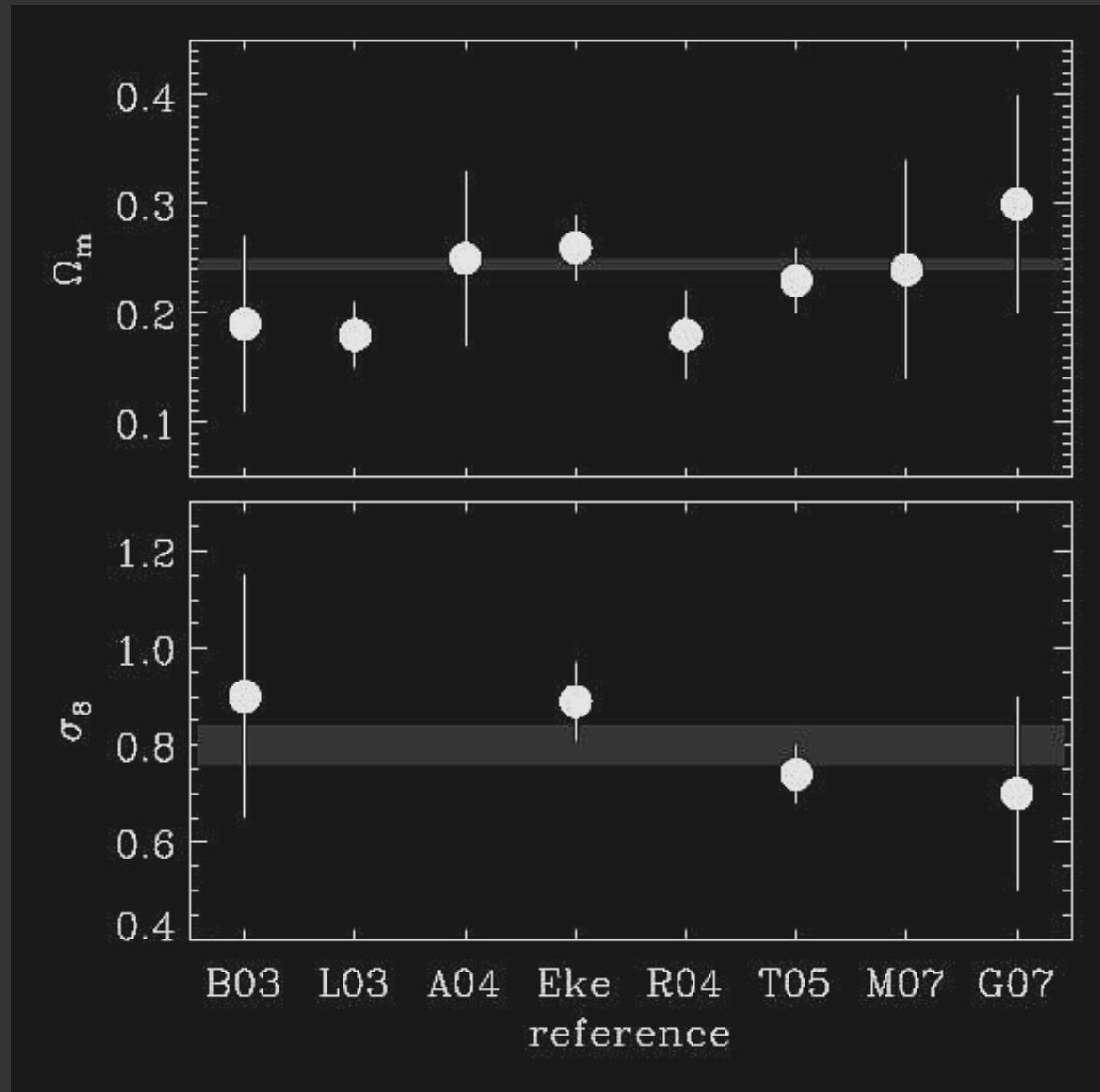
Millennium simulation lacks very rich superclusters compared to real Universe

(Einasto+07)

RCS1-discovered $z=0.9$ massive supercluster
<9% probability in WMAP5 Universe

(Gilbank+08)

Summary of current constraints



Shaded regions: WMAP5 (Dunkley+08)

Perspectives:

forthcoming/planned optical/IR
spectroscopic and photometric surveys
from the ground and from space

Cluster-dedicated photometric survey:



CFHT MegaCam

1000 deg²

$g'=25.3$, $r'=24.8$, $z'=22.5$

detection out to $z \sim 1$

constrain Ω_m to ± 0.02 , σ_8 to ± 0.05 , and w to 10%

(Yee+07)

Other photometric surveys:



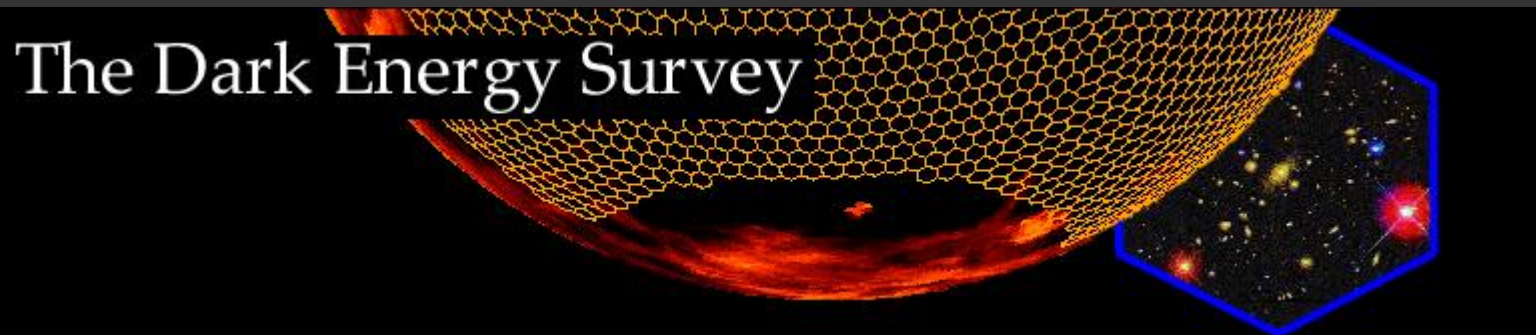
Univ Hawaii Inst Astronomy:
1200 deg², g=27, 4 bands

CTIO 4m wide-field camera:
5000 deg², 4 bands



KiDS

1500 deg², 5 SDSS bands
VLT Survey Telescope
2 mag deeper than SDSS



The Dark Energy Survey

Spectroscopic surveys:



BOSS,

Baryon Oscillation Spectroscopic Survey

10000 deg² 1.5 million z's ($z \leq 0.7$)

Part of SDSS-III, 1st DR in 2011



1 million z's in 100 nights

Surveys from space:

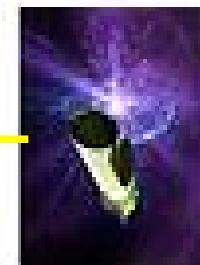


Warm mission: $\sim 10^4$ hrs observations
3.6, 4.5 μm \Rightarrow more IR-selected $z > 1$
clusters (e.g. Papovich 08)

JDEM, NASA+DoE
joint dark energy mission



Advanced Dark Energy
Physics Telescope
(ADEPT)



Dark Energy Space
Telescope
(Destiny)

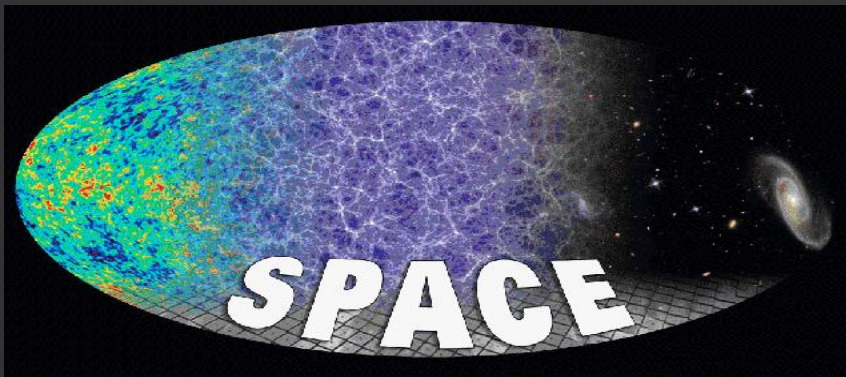


SuperNova/Acceleration
Probe-Lensing (SNAP-L)

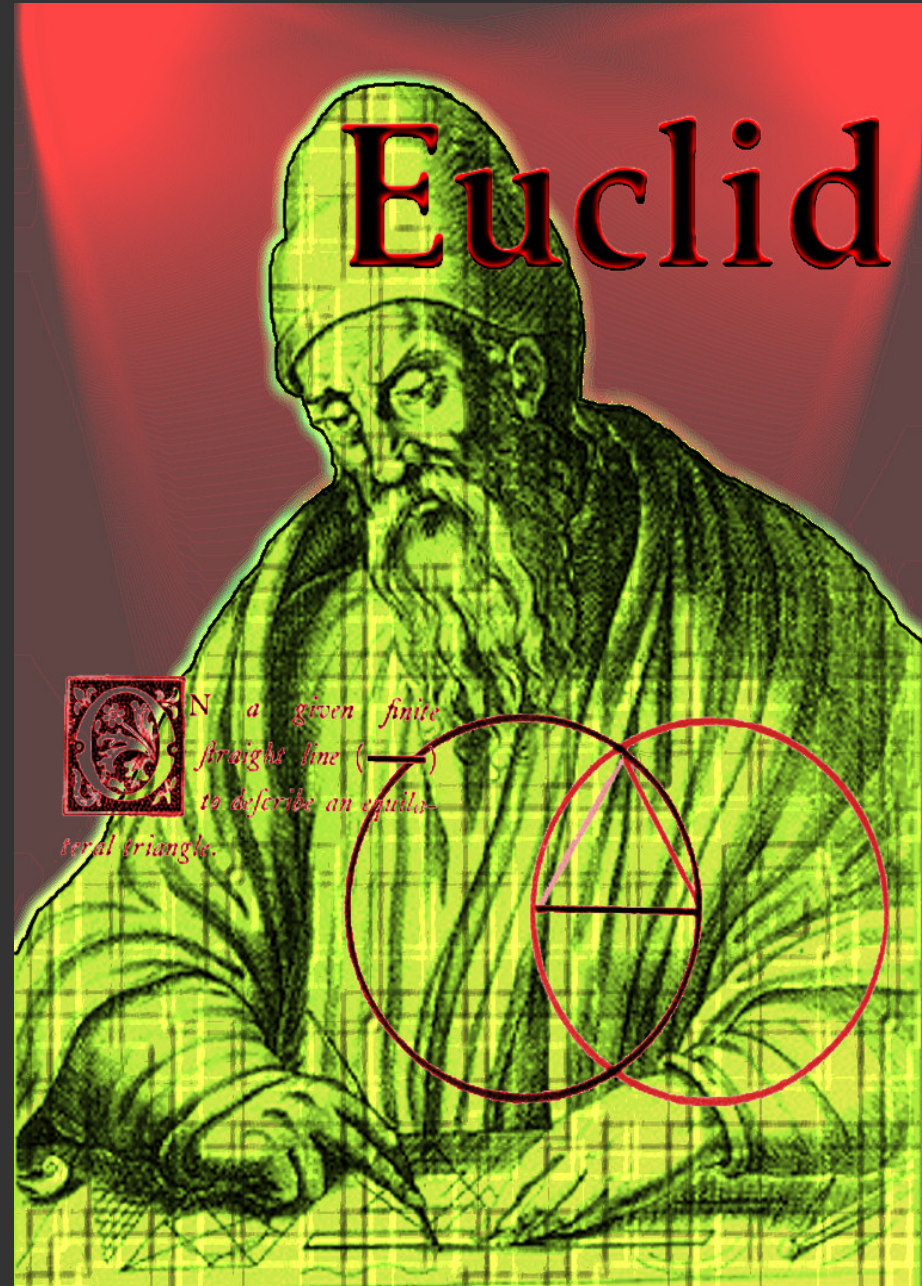
Surveys from space:



+



=



ESA M-class mission
20000 deg², H=22, R \approx 400
~150 million z's
~ 2 billion galaxies z~2