

Inter-galactic medium

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Radiative Processes
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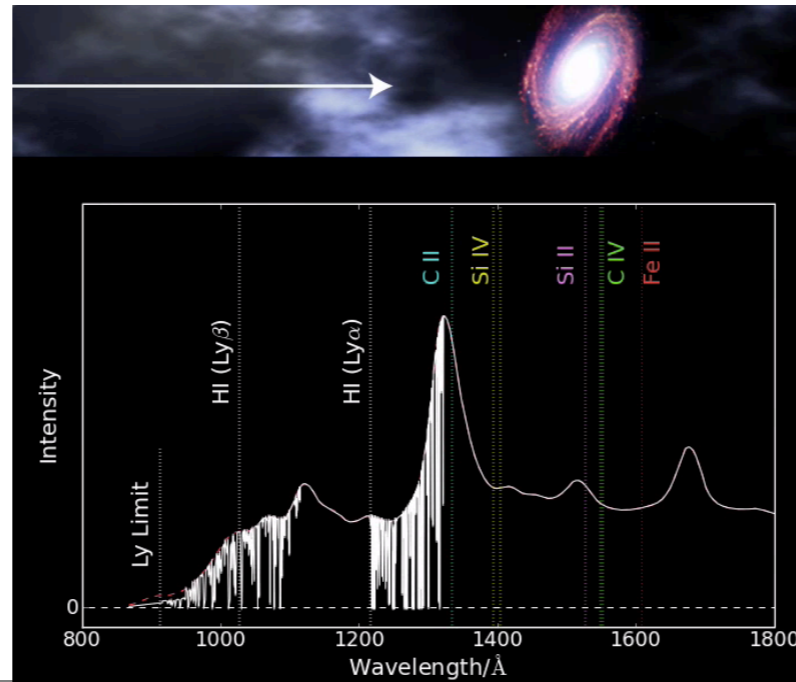


Image by A. Pontzen

The virial radius of a dark matter halo

A dark matter halo does not have a true "radius", but bound matter tends to stay within a **virial radius**, defined as that for which the mean overdensity is 200 times the critical density:

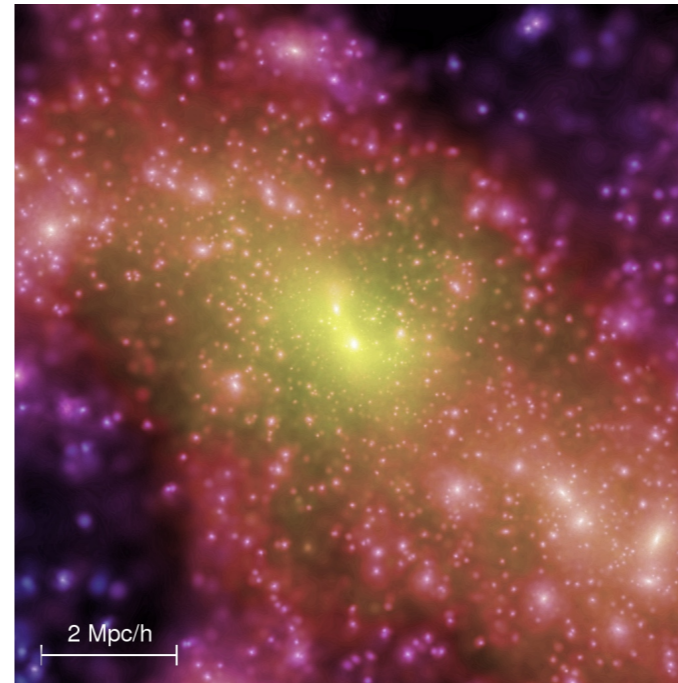
$$\bar{\rho} = \frac{3M_H}{4\pi r_H^3} = 200 \rho_c = 200 \frac{3H^2}{8\pi G}$$

It is customary to define the halo **circular velocity** as the velocity of a circular orbit at the virial radius:

$$V_c = \sqrt{\frac{GM}{r_H}}$$

It is easy to demonstrate that:

$$r_H = \frac{V_c}{10H}, \quad M = \frac{V_c^3}{10GH}$$



Galaxies are hosted by dark matter halos, and there is a difference between matter inside or outside halos. This slide defines the virial radius of a dark matter halo.

Baryonic matter outside galaxies

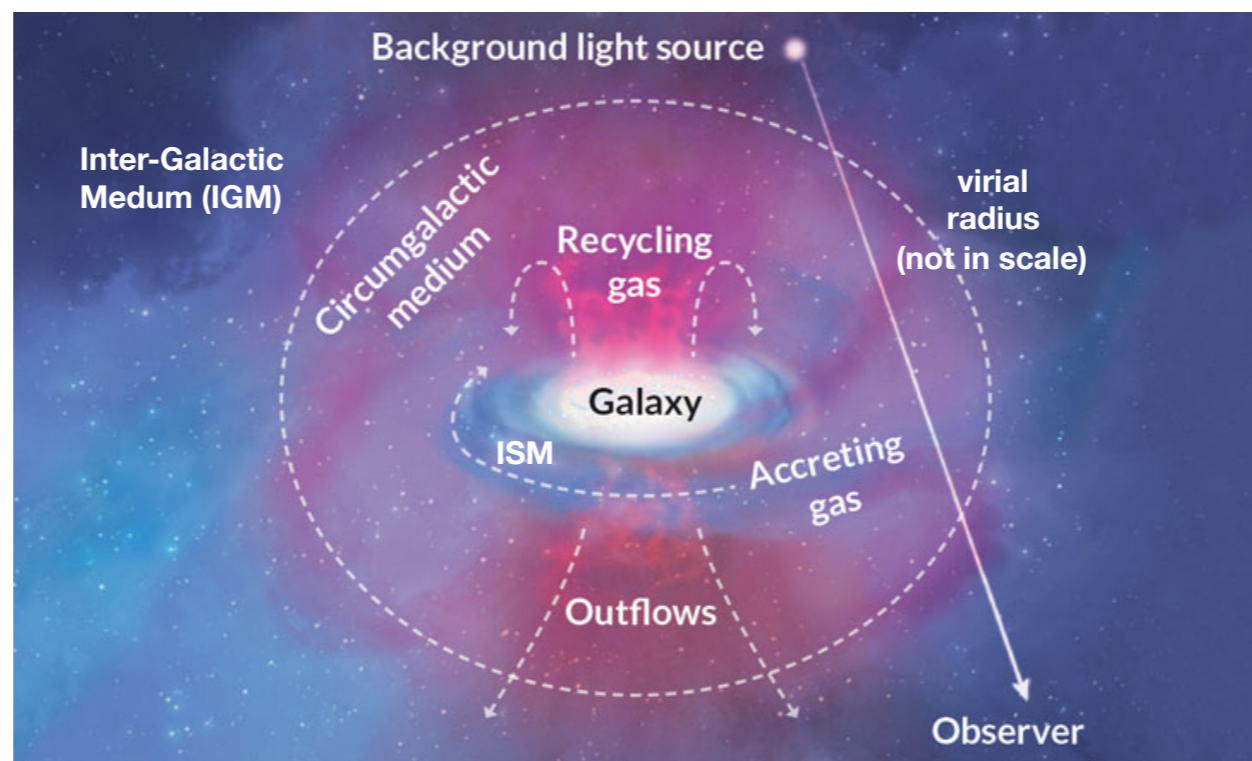
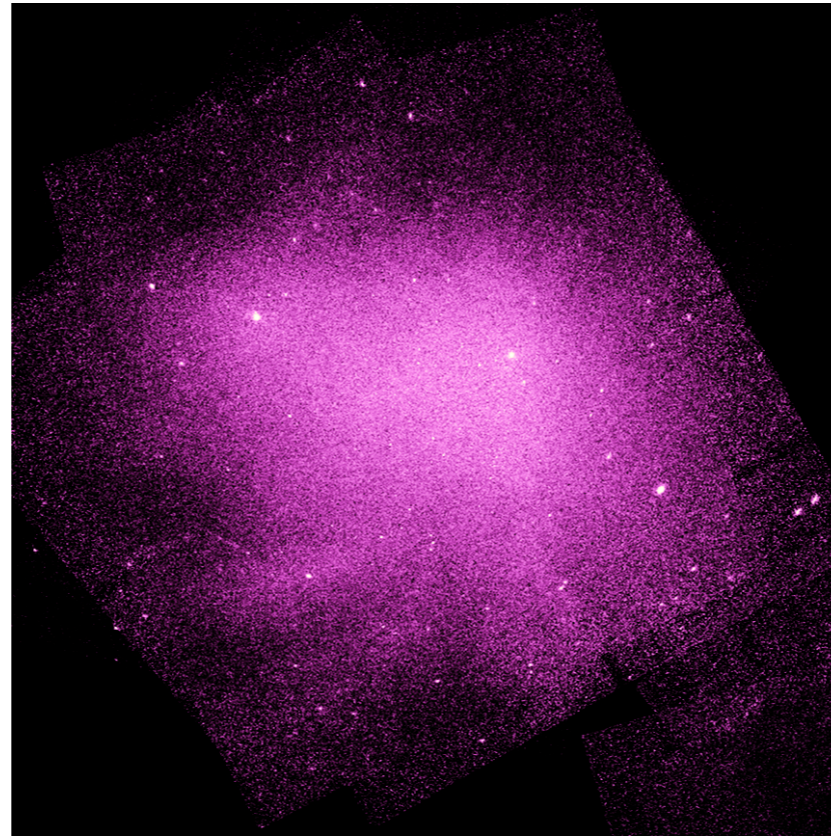


Image from sciencenews.org

This slide shows the difference between ISM, the Circum-Galactic Medium (CGM) outside the galaxy but inside the virial radius, and the Inter-Galactic Medium, outside the virial radius. The only way to observe the CGM is in absorption of a bright background source, as illustrated in the figure (source <https://www.sciencenews.org/article/cosmic-cloak-controls-galaxy-future-coming-focus>).

The Intra-Cluster Medium

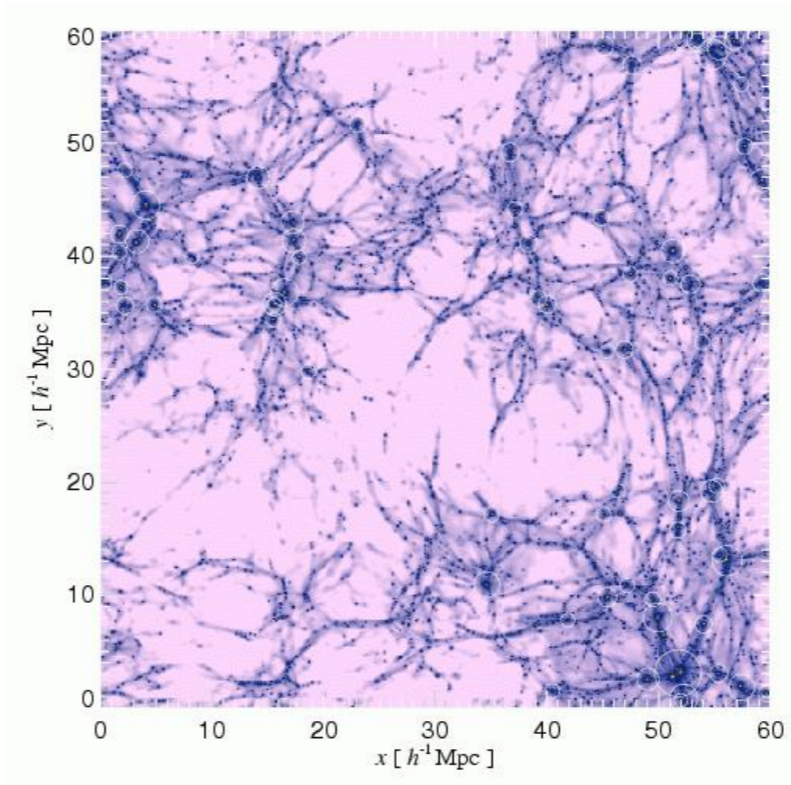


*Chandra image of the
Coma galaxy cluster*

This is an X-ray image of the Coma galaxy cluster. It shows bremsstrahlung emission from hot ICM, plus some background AGNs.

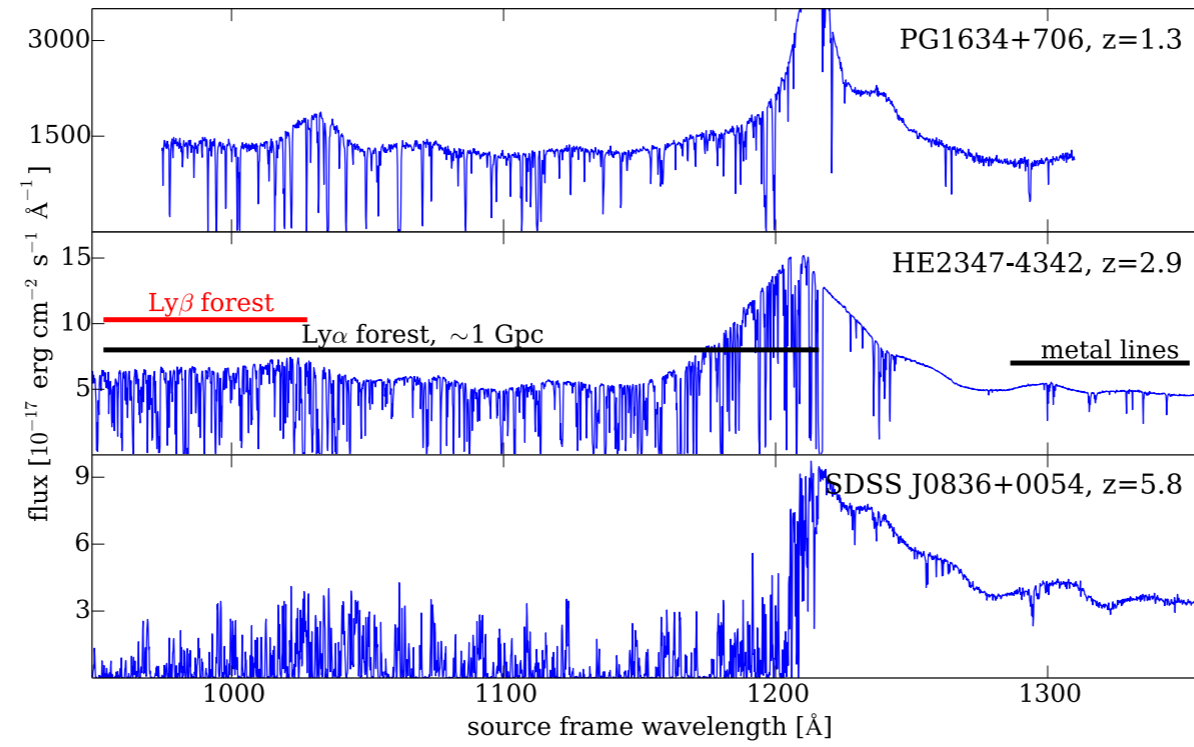
The IGM on large scales

This figure shows a simulation, by M. Viel, of the distribution of gas in the IGM at large scales. Colors track gas density.



On large scales, the IGM traces the large-scale structure, similarly to dark matter.

Absorption spectra of quasars



A large number of absorption lines are visible blueward of the Lyman-alpha emission line. The number and absorbed flux of these lines depends on redshift, and grows toward high z .

The Gunn-Peterson effect

Observations of quasars showed, already in the '60s, significant **flux bluewards of the Lyman-alpha emission line**.

Photons at higher energies than Lyman alpha have a high probability of interaction when they are redshifted to the Lyman-alpha frequency.

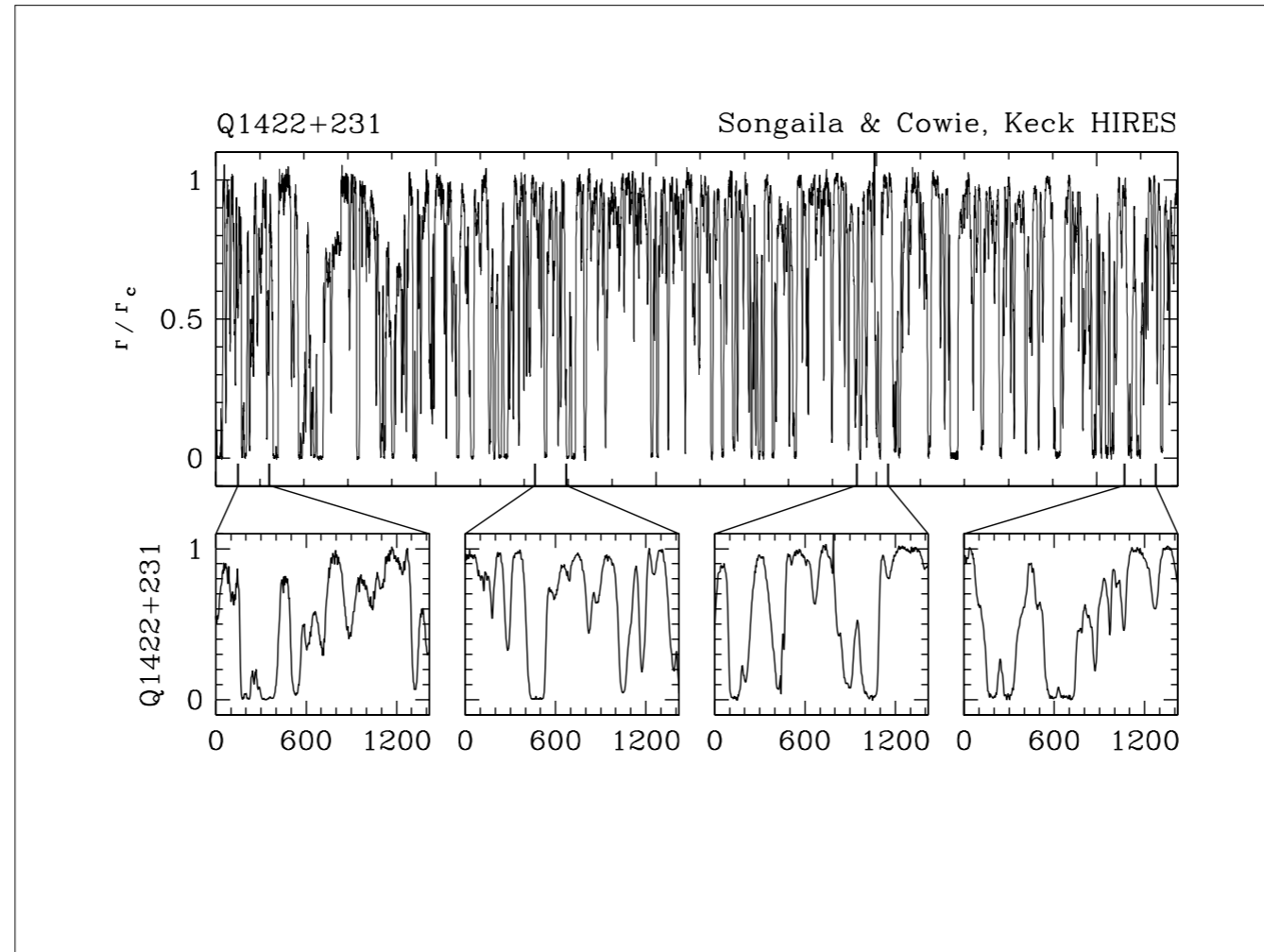
This gives a very **high opacity** for these photons, if all baryons in the IGM are in neutral HI atoms at the mean density:

This implies that hydrogen in the IGM must be **highly ionized**. This calls for a **UV ionizing background**, given by the ionizing light from quasars and galaxies.

$$\tau = n_{\text{HI}}(z) (4.2 \times 10^{10} h^{-1} \text{ cm}^3) \frac{1}{E(z)}$$

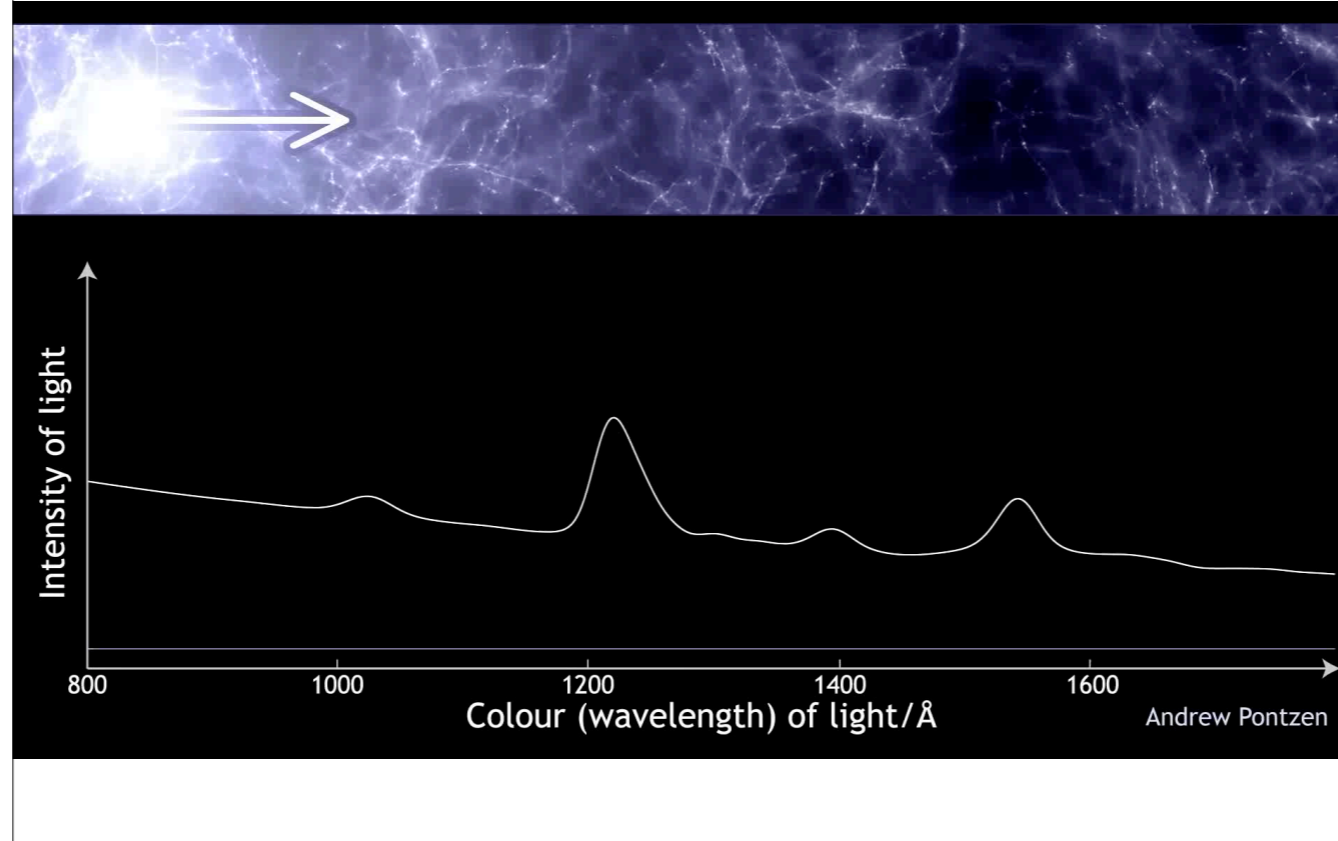
$$\tau \sim 10^4 h^{-1} \left(\frac{\Omega_b h^2}{0.022} \right) \frac{(1+z)^3}{E(z)}$$

The discussion on the formulas is given in the notes.



This is a fine detail of a high-resolution spectrum of the forest, to appreciate the amount of structure present in a single quasar line of sight.

The Lyman-alpha forest



This animation shows how the Lyman-alpha forest is formed when ionising light from the quasar travels toward us.

Estimating column density for Lyman-alpha lines

These curves of growth show how the equivalent width of Lyman-alpha lines varies with the column density of neutral hydrogen atoms. There are three regimes:

Lyman-alpha forest, corresponding to non-saturated lines:

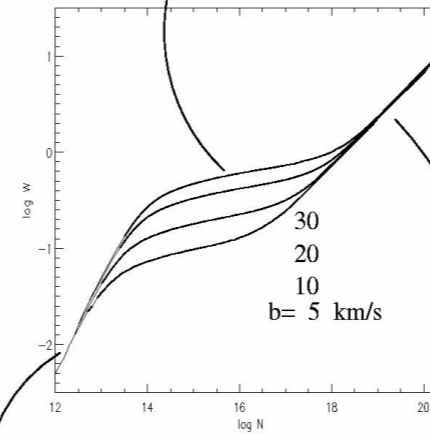
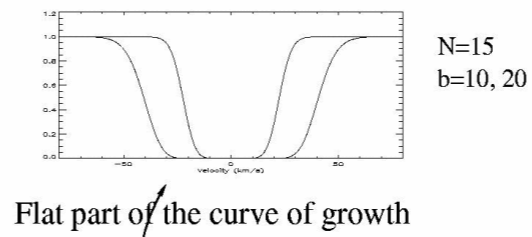
$$N_H < 10^{17} \text{ cm}^{-2}$$

Lyman-limit systems, corresponding to saturated lines:

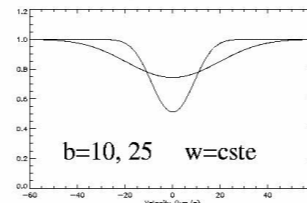
$$10^{17} \text{ cm}^{-2} < N_H < 10^{20} \text{ cm}^{-2}$$

Damped systems:

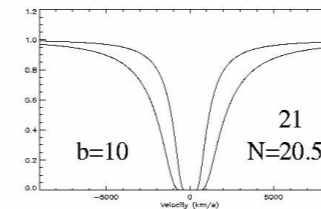
$$N_H > 10^{20} \text{ cm}^{-2}$$



Optically thin case

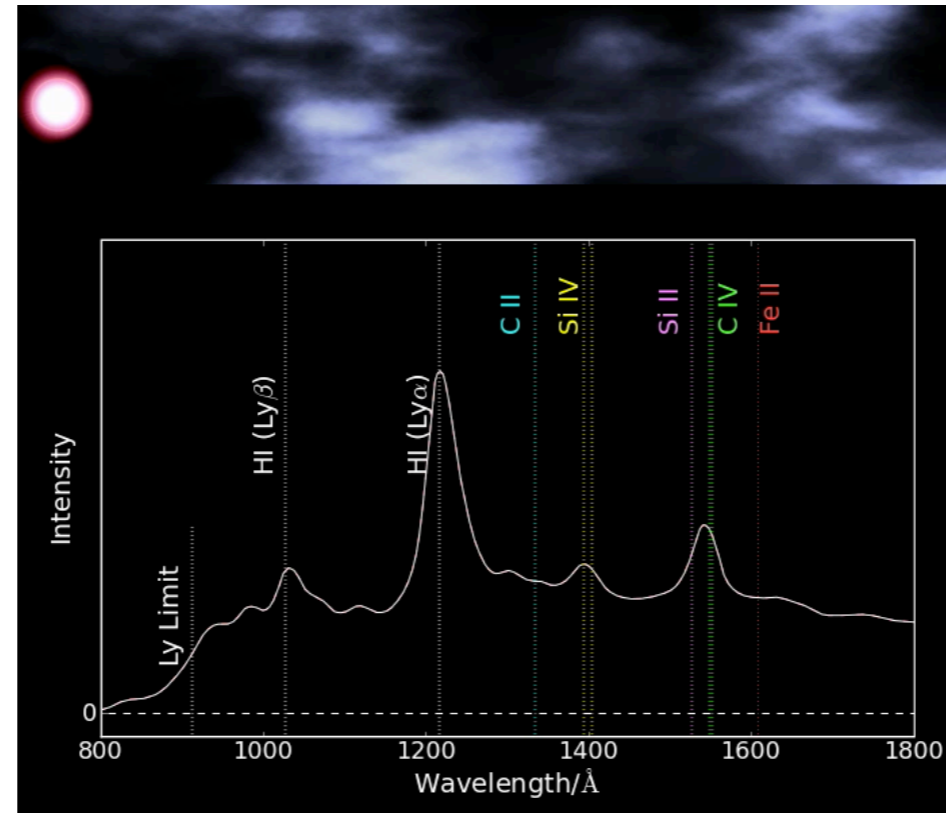


Damped wings



This slide shows how column density can be estimated from the measurement of line Equivalent Width. The measurement depends on the "Doppler parameter" b , that defines the line width due to gas temperature.

Damped systems



This animation illustrates how a damped system forms when the quasar line of sight crosses the external parts of a galaxy.

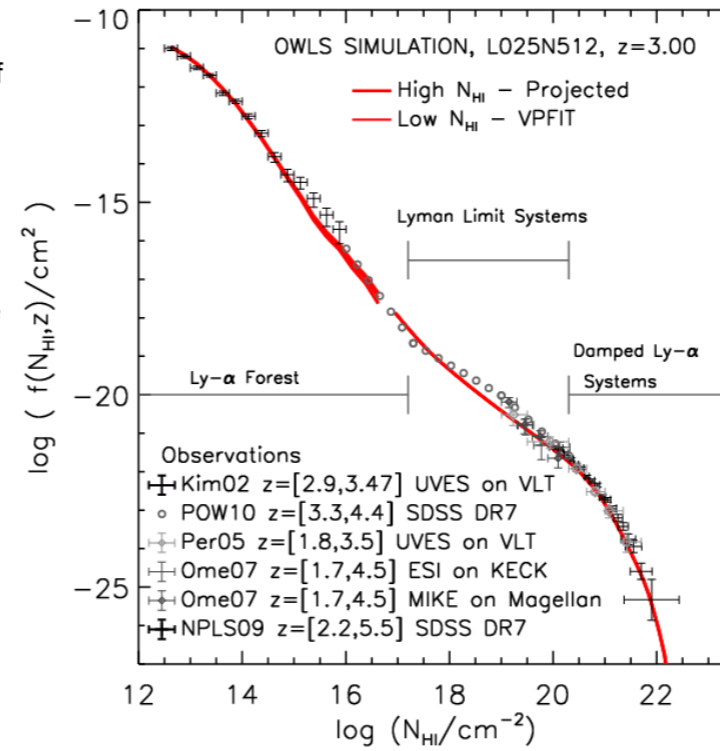
Statistics of absorbers

This figure shows the distribution of column densities of absorbers. The quantity on the y-axis is the number of absorbers per interval of column density and per

$$dX = (1+z)^{1/2} \Omega_m(z)^{-1/2} dz$$

The most common lines are those of the forest, damped systems are much rarer.

The red line gives the result from a set of simulations of galaxy formation, and is beyond our interest.



Note: the definition of dX , used in the review by McQuinn, is given only for completeness.