Variability of the proton-to-electron mass ratio on cosmological scales *Quasar absorption line spectroscopy*

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Overview

- Short introduction of theory behind variation
- How is variation reflected in observations?
- Molecular Hydrogen H₂
- Methods involved
- Analysis
- Summary and Outlook

Kaluza-Klein theories

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- another byproduct: scalar field as possible source for acceleration

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- variation of the gravitational constant G_N . Recent paper last week: $\dot{G}_N/G_N \lesssim 10^{-17} {
 m yr}^{-1}$.

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- laboratory experiments not yet very accurate (5 years)
- measure possible variation on cosmological scales

How to measure variation? molecular hydrogen H₂ - energy levels

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- the classical oscillation frequency dependent on the *reduced mass* as $\mu^{-\frac{1}{2}}$.

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- rotational transitions are proportional to μ^{-1}

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- UV radiation is a very efficient dissociator of H₂, so any H₂ that survived would presumably be located inside very dense interstellar clouds.
- So far observations have borne out this supposition.

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(Varshalovich & Levshakov 1993)

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(Reinhold et al. 2006)

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- transitions in UV (restframe) redshiftet into visual band



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- highly inhomogeneous, clumpy distribution ^[1]
- observable only in dense systems

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e.g., the Ly α transition at $\lambda_{\text{rest}} = 1215.67$ Å



(Springel et. al 2006)







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(Ivanchik et al. 2005)

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Merely transitions with high vibrational quantum numbers in the first rotational level contribute to a positive result

News or noise?



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 $|\Delta \mu/\mu| \le 4.9 imes 10^{-5}$ over the period of \approx 11.5 Gyr

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- further simulations of detectability of variation
- better understanding of the nature of DLAs

The Ratio of Proton and Electron Masses

FRIEDRICH LENZ Düsseldorf, Germany (Received April 5, 1951)

THE most exact value at present¹ for the ratio of proton to electron mass is 1836.12 ± 0.05 . It may be of interest to note that this number coincides with $6\pi^5 = 1836.12$.

¹Sommer, Thomas, and Hipple, Phys. Rev. 80, 487 (1950).





Nine separately observed spectra with errorbars and exemplary fit of L1R1.









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